

Affirmative resolve of Conway's problem

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September 1, 2017

1

Conway's problem is that shuffle 1 to n number cards, and see top of the card (we represent m), and set reverse m cards. repeat this process, we reach 1.

Theorem 1.1. *Conway's problem is correct.*

proof. We use induction method. "The number of cards $n + 1$. (Except the case $n + 1$ th card is $n + 1$.) For top n cards, we use Conway's operation. We reach 1 or $n + 1$." (We assume 1 or $n + 1$ as k . k represent $n + 1$ th card.)

$n + 1$ th card is $n + 1$ case. We calculate as 1 to n case.

$n + 1$ th card is not $n + 1$ case. We use induction method. We reach 1 or $n + 1$.

$n + 1$ case's next step, we reach 1 to n case.

For all n , Conway's problem is correct. □