

<https://docs.google.com/document/d/14dGOjOuRXXIBSg-0N-vBovhwDCnrMbBioONasYH9FG0>

Programming Planck units from a virtual electron; a Simulation Hypothesis
Malcolm J. Macleod

<https://philpapers.org/archive/MACAMU.pdf>

$$4 * (\pi^2) * ((2^6)^3 * (\pi^2) * 137.035999172 * (((\pi^e) / (e^{(e-1)}))^{(5/2)}))^3 = 2.3895454e+22$$

$$2.3895454e+22 * 2 * \pi = 1.5013957e+23$$

$$(1.5013957e+23 \text{ Malcolm J. Macleod}) / (1.50122737e+23 \text{ Dahl Winters}) = 1.00011212825$$

$$(1.50122737e+23 / (2\pi)) / ((4 * (\pi^2)) * ((2^6)^3 * (\pi^2)) * 137.035999172 * (2.0071199557^5)^3) = 1.00000000136$$

$$((\pi^e) / (e^{(e-1)}))^{0.5} = 2.00713495432$$

$$((1.50122737e+23 / (2\pi)) / ((4 * (\pi^2)) * ((2^6)^3 * (\pi^2)) * (((\pi^e) / (e^{(e-1)}))^{(5/2)})^3))^{(1/3)} = 137.030879198$$

$$(((\text{electron Compton length}/\text{Planck Length}) / (2\pi)) / ((4 * (\pi^2)) * ((2^6)^3 * (\pi^2)) * (((\pi^e) / (e^{(e-1)}))^{(5/2)})^3))^{(1/3)} = 137.030879198$$

$$-8 i \log(-1) (-i \log(-1))^2 (137.030879198 3 2^6 (-i \log(-1))^2 ((-i \log(-1))^e / e^{(-1+e)})^{(5/2)})^3 = 1.50122737001e+23$$

<https://goo.gl/BdSYXT>

[http://www.wolframalpha.com/input/?i=-8+i+log\(-1\)+\(-i+log\(-1\)\)^5E2+\(137.030879198+3+2^6+\(-i+log\(-1\)\)^5E2+\(\(-i+log\(-1\)\)^5Ee%2Fe%5E\(-1+%2B+e\)\)^5E\(5%2F2\)\)^5E3](http://www.wolframalpha.com/input/?i=-8+i+log(-1)+(-i+log(-1))^5E2+(137.030879198+3+2^6+(-i+log(-1))^5E2+((-i+log(-1))^5Ee%2Fe%5E(-1+%2B+e))^5E(5%2F2))^5E3)

$$-8 i \log(-1) (-i \log(-1))^2 (137.035999172 3 2^6 (-i \log(-1))^2 ((-i \log(-1))^e / e^{(-1+e)})^{(5/2)})^3 = 1.50139565030e+23$$

$$1.50139565030e+23/2\pi = 2.3895454e+22$$

[http://www.wolframalpha.com/input/?i=-8+i+log\(-1\)+\(-i+log\(-1\)\)%5E2+\(137.035999172+3+2%5E6+\(-i+log\(-1\)\)%5E2+\(\(-i+log\(-1\)\)%5Ee%2Fe%5E\(-1+%2B+e\)\)%5E\(5%2F2\)\)%5E3](http://www.wolframalpha.com/input/?i=-8+i+log(-1)+(-i+log(-1))%5E2+(137.035999172+3+2%5E6+(-i+log(-1))%5E2+((-i+log(-1))%5Ee%2Fe%5E(-1+%2B+e))%5E(5%2F2))%5E3)

$$137.035999172 / (1.50122737e+23 / 1.50121697e+23) = 137.035049833$$

N is simply $2\pi * \sqrt{1/ag}$ where ag = the gravitational coupling constant

https://en.wikipedia.org/wiki/Gravitational_coupling_constant

Unlike ag , N appears in several places in physics in not only mass but also length and consequently time.

Some of these formulations of N are in Dahl Winters paper at

<https://www.academia.edu/35806992/>

[Uniting the Scales of Length Mass and Charge](#)

https://en.wikipedia.org/wiki/Fine-structure_constant

Friedmann Kinematic Viscosity

$$(((6.67408e-11/2) \text{ pascals}) * (1 \text{ second})) / (3.71295774e-28 \text{ (kg / (m}^3))) = 8.98755179e+16 \text{ m}^2 / \text{s}$$

$$((6.67408e-11/2) \text{ pascals}) / (\text{m}^3) = \text{Friedmann energy density}$$

$$(3.71295774e-28 \text{ (kg / (m}^3))) = \text{Friedmann mass density}$$

https://en.wikipedia.org/wiki/Friedmann_equations#Density_parameter

Dahl Winters: [A Fluid Model of Matter Forces and Spacetime](#)

https://www.academia.edu/37242000/A_Fluid_Model_of_Matter_Forces_and_Spacetime

<https://docs.google.com/document/d/1Ljusv5jFVliNWHzOEejwQJyrToKbJkoq68XLLuOnEkk>

On the reversal of sign of secondary Bjerknes force acting between two pulsating gas bubbles

Masato Ida: Satellite Venture Business Laboratory, Gunma University,

<http://cds.cern.ch/record/516564/files/0109005.pdf>

Holographic Ideal fluid under pressure model

The Pressure & Density dictate the speed of light & (rate of causality)

Pressure and density dictate the (Quantization parameters)

$$((6.5248935 \text{ kg m/s})^2 \cdot c) / (c^7 / (\hbar \cdot G^2)) \cdot (\text{planck length})^2 = \hbar$$

Friedmann parameters

$$(\hbar / (((3.71295774 \times 10^{-28} \text{ (kg m) / s})^2 \cdot c) / (((6.67408 \times 10^{-11} / 2) \cdot \text{pascals}) \cdot ((1 \text{ m})^2)))) / (6.5248935^2) / 2 = 1.000000000000$$

$$((((3.71295774 \times 10^{-28} \cdot 6.5248935) \cdot (\text{kg m) / s})^2 \cdot c) / (((6.67408 \times 10^{-11} / 2) \cdot \text{pascals}) \cdot ((1 \text{ m})^2))) \cdot 2 = 1.0545718 \times 10^{-34} \text{ m}^2 \text{ kg / s} = \hbar$$

$3.71295774 \times 10^{-28} \text{ kg/m}^3$ Friedmann mass density

$(6.67408 \times 10^{-11} / 2) \text{ pascals} =$ Friedmann energy density

$$(((6.67408 \times 10^{-11} / 2) \text{ pascals}) \cdot (1 \text{ second})) / (3.71295774 \times 10^{-28} \text{ (kg / (m}^3))) = 8.98755179 \times 10^{16} \text{ m}^2 / \text{s} = \text{Friedmann Kinematic Viscosity}$$

$$(((9.1224509 \times 10^{20} \text{ pascals}) / (10150.0955 \text{ kg/m}^3)) \cdot ((2.4263263 \times 10^{-12} \text{ m})^2) / c^2 \cdot (6.5248935 \text{ kg m/s})^2)^{0.5} / 1.50122739 \times 10^{23} = \hbar$$

$$((2.4263263 \times 10^{-12} \text{ m}) / 1.50122739 \times 10^{23}) / \text{planck length} = 0.999999999$$

$$1 / (((\text{Boltzmann constant}^4) / 6.5248935) / (8^{0.5}))^{0.25} = 1.50122737 \times 10^{23} \text{ m}^{-2} \text{ kg}^{-1} \text{ s}^2 \text{ K}$$

$$1 / (((\text{Boltzmann constant}^4) / 6.5248935) / (8^{0.5})^{0.25}) = 1.50122737e+23 \text{ m}^{-2} \text{ kg}^{-1} \text{ s}^2 \text{ K}$$

$$((2.4263102367E-12 \text{ meters}) / 1.50121745e+23) / \text{Planck Length} = 1$$

$$((c^7) / (\hbar * (G^2))) * (\text{planck length}^4) / \hbar = 299792458 \text{ m} / \text{s}$$

$$((9.1224509E+20 \text{ pascals}) * ((2.4263102367E-12 \text{ m})^4)) / \hbar = 299792458 \text{ m} / \text{s}$$

$$1 / (((1 / (((9.1224509E+20 \text{ pascals}) * (\text{planck length}^4) / \hbar) / c)^{1/4})) / (2 * \pi))^2 = 1.75175162e-45$$

https://en.wikipedia.org/wiki/Gravitational_coupling_constant

$$1 / (((9.1224509E+20 \text{ pascals}) * (\text{planck length}^4) / \hbar) / c)^{1/4} = 1.50121745e+23$$

$$(1 / (((9.1224509E+20 \text{ pascals}) * (\text{planck length}^4) / \hbar) / c)^{1/4}) / (2\pi) = 2.38926178e+22$$

$$((2\pi) / (3^{0.5} \text{ planck length/m}) \text{ pascals}^{-1}) * ((8.74931845e-16 \text{ m})^3) / (c^2) = \text{proton mass}$$

$$((2\pi) * (3.5722072e+34 \text{ pascals}) * ((8.74931845e-16 \text{ m})^3) / (c^2)) = \text{proton mass}$$

<https://physics.nist.gov/cgi-bin/cuu/Value?rp> = 0.8751(61) x 10⁻¹⁵ m

$$((4 * \text{planck length} * (6.5248935 * ((\text{kg m}) / \text{s})) / c) / \text{proton mass}) * (6.5248935 / (2\pi)) = 8.7359718e-16 \text{ meters}$$

$$(4 * \text{planck length} * (6.5248935 * ((\text{kg m}) / \text{s})) / c) / \text{proton mass} = 8.41235641e-16 \text{ meters}$$

$$(((c^7 / (\hbar * G^2)) / (\pi * 9.1224509E+20 * \pi * 3.57498477586e+34)^2) / 2)^{2/5} = 1$$

<http://vixra.org/pdf/1308.0118vS.pdf>

<https://docs.google.com/document/d/14dGOjOuRXXIBSg-0N-vBovhwDCnrMbBioONasYH9FG0>

https://www.academia.edu/12184243/Vacuum_Fluid_Dynamics_Electric_and_Gravitational_Forces_Linked_to_the_Primary_and_Secondary_Bjerknes_Forces_in_Vacuum

https://www.academia.edu/37297960/Modeling_Matter_and_Acoustic_Radiation_Forces_Bjerknes_Forces_in_a_Fluid_Spacetime

https://www.academia.edu/37173524/The_Gas_Laws_of_Spacetime_and_a_Description_of_Electric_and_Gravitational_Forces_as_Acoustic_Radiation_Forces

Bjerknes Forces

$$\frac{(c^4 / G)}{((c^7) / (\hbar * (G^2)))} * (\pi / 4) * (\text{Planck length}^2) = 1.27323954$$

$$(\text{Planck Force}) / ((\text{Planck Pressure}) * (\pi / 4) * (\text{Planck Area})) = 1.27323954$$

$$(6.5248935 / 8) * \frac{(c^4 / G)}{((c^7) / (\hbar * (G^2)))} * (\pi / 4) * (\text{Planck length}^2) = 1.03846905$$

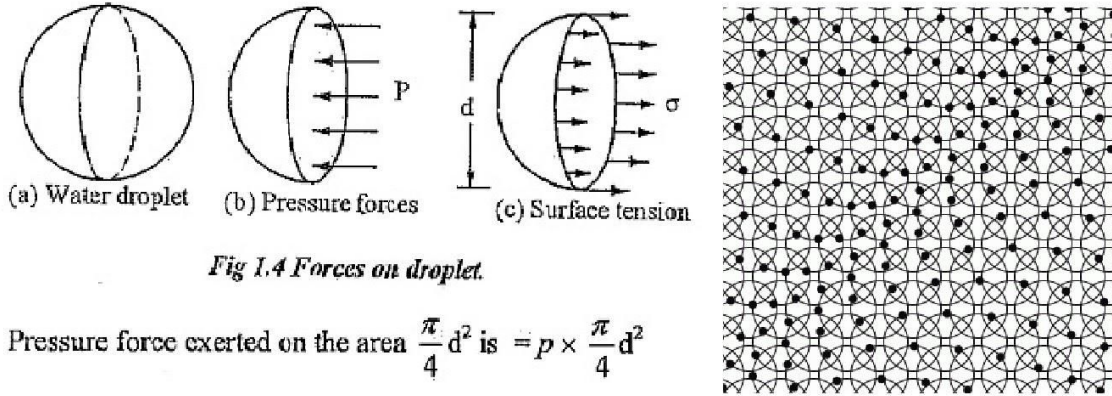


Fig 1.4 Forces on droplet.

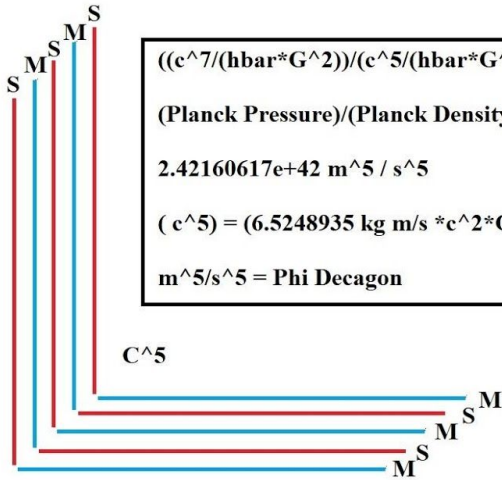
Pressure force exerted on the area $\frac{\pi}{4} d^2$ is $= p \times \frac{\pi}{4} d^2$

$$((c^7) / (hbar * (G^2))) / (299792458^5) = 1.9132972e+71 \text{ pascals}$$

$$((((c^7) / (hbar * (G^2))) / (299792458^5)) / (c^2)) / (1.70377849e+53 \text{ kg}) / (4\pi) = 0.994301363 \text{ m}^{-3}$$

$$(\text{Planck Pressure}) / (299792458^5) / (c^2) / (\text{Mass Universe}) / (4\pi) = 0.994301363 \text{ m}^{-3}$$

$$(c / (13.8880509 \text{ billion light years})) / ((70406.7915 \text{ (m / s)}) / (1 \text{ Mpc})) = 1 = \text{Hubble}$$



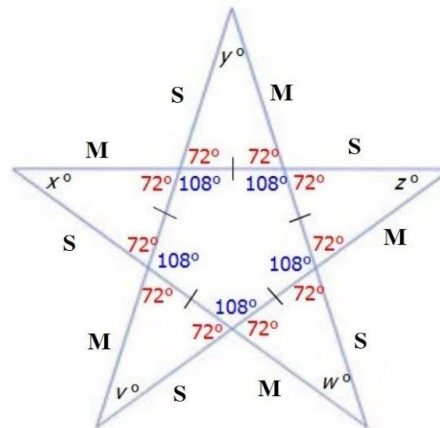
$$((c^7 / (hbar * G^2)) / (c^5 / (hbar * G^2))) = ((c^2 / (hbar * G^2)) / (1 / (hbar * G^2)))$$

$$(\text{Planck Pressure}) / (\text{Planck Density}) = ((c^2 / (hbar * G^2)) / (1 / (hbar * G^2)))$$

$$2.42160617e+42 \text{ m}^5 / \text{s}^5$$

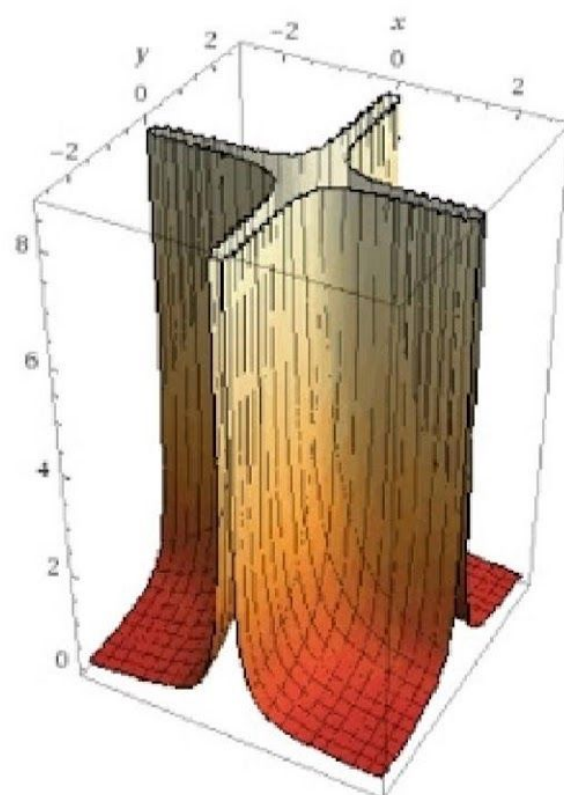
$$(c^5) = (6.5248935 \text{ kg m/s} * c^2 * G / \text{planck length})$$

$$\text{m}^5 / \text{s}^5 = \text{Phi Decagon}$$

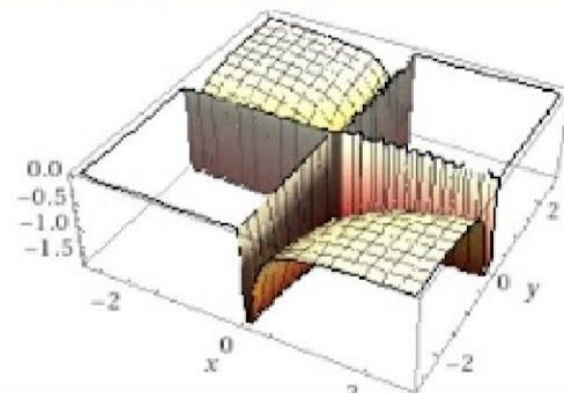


$1/(x^7*y^7)^{(1/6)}$

3D surface plot



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$$1/(x^7*y^7)^{(1/6)}$$

