

Small Corrections To the Critical Density Calculation in MHCE8S Theory Produce Full Agreement With Planck Collaboration Data

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Abstract: An increase of 10 million years for the very hot period of the universe and increasing the universe's radius to be exactly $c/\text{fine-structure constant } \alpha$ produce full 3- digit agreement with Planck Collaboration critical density data.

Four cyclic universes¹ have occurred in the universe and a total of 80 million years has been spent on very hot, dense phases, or 20 million years per universe instead of 10 million years. This is the 1st correction.

The 2nd correction is to the radius of the universe (calculated for 13.5 billion years of universe age). Previously I changed this value from the exact c/α data = **4.1082355** $\times 10^{26}$ M (note² factor 10 error in viXra 1812.0264) to 4.1076555×10^{26} M to bring the mc^2 for the top quark from 171.72424 to 171.7 GeV. Instead I should have followed my earlier (neutron) work and ignored the 2424 digits and kept the exact c/α data. Doing this now, and next calculating the holographic³ critical matter per galaxy = $13.36 \times 1.782662 \times 31.5576/3 = 250.52909 \times 10^{-12}$ Kg. The universe volume = $4/3 \times \pi \times R^3 = 1.3333333 \times 3.1415926 = 4.18879 \times (4.1082355 \times 10^{26} \text{ M})^3 = 4.18879 \times 69.337147 = 290.43874 \times 10^{78} = 2.9043874 \times 10^{80} \text{ M}^3$. The critical fermion density = $250.52909 \times 10^{-12} \text{ Kg}/2.9043874 \times 10^{53} \text{ M}^3 = 86.258852 \times 10^{65} = 8.6258852 \times 10^{66} \text{ Kg/M}^3 = \mathbf{8.62}$ (1st 3 digits) and replacing 10^{66} by the holographic⁴ 10^{-27} , one gets **$8.62 \times 10^{-27} \text{ Kg/M}^3$** .

In obtaining the holographic 10^{-27} , we first square the 10^{-12} of the holographic critical matter, (leaving the 250.52909 untouched) producing 10^{-24} ; we then multiply by 10^{-3} to get 10^{-27} . Note that overall we apply the factor 3 twice, firstly as a magnitude divisor 3 and secondly as an exponent -3 to get the complete holographic transformation.

For universe radius $R = 4.1082355 \times 10^{26}$ M, the derived (see p. 1) universe volume is 2.9043874×10^{80} M³. Now I earlier⁵ found the volume of one active galaxy to average 10^{-27} smaller, or $\sim 2.90 \times 10^{53}$ M³. I have neglected to show if this galaxy volume (and associated average active galaxy spacing) are reasonable. The diameter $2R_g$ of the average galaxy is $2R_g = 8.216 \times 10^{26-9} = 17$ M. The Andromeda galaxy⁶ is $\sim 2.54 \times 10^6$ Ly away or $\times 94.6 \times 10^{14}$ M = 2.365×10^{22} M. The galaxy spacing/galaxy diameter = $2.365 \times 10^{22} / 8.216 \times 10^{17} \sim 3 \times 10^4$, which I consider ample.

1. Paul J. Steinhardt, Neil Turok, "A cyclic model of the universe", ArXiv HEP-Th/0111030, (2001)
2. "Observable universe", Wikipedia, (2018)
3. George R. Briggs, "The critical fermion density of the universe revisited: role of holography in MHCES theory", Vixra 1812.0487, (2018)
4. "Holographic principle", Wikipedia, (2019)
5. George R. Briggs, "The critical fermion density of the universe found from cyclic universe E8 symmetry theory", ViXra 1703.0310, (2017)
6. "Andromeda galaxy", Wikipedia, (2019)