【Review article】

ζ (3), ζ (5), ζ (7), ζ (9), ζ (11), ζ (13)

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【Abstract】

ζ (3), ζ (5), ζ (7), ζ (9), ζ (11), ζ (13) was obtained by another method.

$$\zeta(3) = \frac{-17.74063 + \pi^3 log(4)}{21}$$

and

$$\zeta(3) = \frac{11.5610 + \pi^2 \log(4)}{21}$$

and
zeta(3) =[{=[{-1.034353-[log(2)]^3}*12-4*log^3(2)+pi^3*log(4))]*(1/21)=-[log(2)]^3}*12-4*log^3(2)+pi^2 log(4))]*(1/21)=1.202056903160......
=zeta(3)
zeta(3) =[11.5610+pi^2*log(4)]*(1/21)=1.202056903160......

\begin{equation}
\zeta(5)=1.19693- log^5(2)= 1.03693...
\end{equation}

【introduction】

$$\zeta(5) = \frac{11969}{10000} - log^5(2) \tag{1}$$

$$\zeta(7) = \frac{10852}{10000} - log^7(2) \tag{2}$$

$$\zeta(9) = \frac{10389}{10000} - log^9(2) \tag{3}$$

$$\zeta(11) = \frac{10182}{10000} - log^{11}(2) \tag{4}$$

$$\zeta(13) = \frac{100865}{100000} - log^{13}(2) \tag{5}$$

【discussion】

$$\frac{1}{21}\left(-17.7406 + \pi^3 \log(4)\right) = \frac{1}{21}\left(-17.7406 + \log_e(4)\,\pi^3\right)$$

$$\frac{1}{21}\left(-17.7406 + \pi^3 \log(4)\right) = \frac{1}{21}\left(-17.7406 + \log(a)\log_a(4)\,\pi^3\right)$$

$$\sum_{k=1}^{\infty} \frac{1}{k^2 \times 2^{k-1}} + \log^2(2)$$

\sum_{k=1}^\infty \frac{1}{k^2*2^(k-1)}+(log2)^2
= π ^2/6 = ζ (2)

$$\sum_{k=1}^{\infty} \frac{1}{k^3 \times 2^{k-1}} + \log^3(2)$$

\sum_{k=1}^\infty \frac{1}{k^3*2^(k-1)}+(log2)^3
=≈1.40745

$$\frac{1}{12}\left(21\,\zeta(3) + 4\log^3(2) - \pi^2\log(4)\right) + \log^3(2) \approx 1.40745$$

(1/12)*{[(21 ζ(3) + 4*log^3(2)-pi^3*[log(4)] }+ [log(2)]^3=
(1/12)*[21*zeta(3) + 4* log^3(2) -pi^3* log(4))]+ [log(2)]^3=-
1.0343530935873708773862042012384958984246375012847 2095...
[21*zeta(3) + 4* log^3(2) -pi^3 log(4))]=-1.367378*12
zeta(3) =[-1.367378*12- 4* log^3(2) +pi^3 log(4)]/21=1.202057...
zeta(3) =[-17.74063+pi^3 log(4)]/21=1.202057...
21*zeta(3) =-17.74063+pi^3 log(4)

$$\zeta(3) = \frac{-17.74063 + \pi^3 log(4)}{21}$$

zeta(5)=21*zeta(3)-log(4)\pi^5+x

$$x + 21\,\zeta(3) = \zeta(7) + \pi^7\log(4)$$

$$21\,\zeta(3) + x - \pi^5\log(4) = \zeta(5)$$

log(4)*pi^5=zeta(7)-zeta(5)+pi^7*log(4)
zeta(7)-zeta(5)=- pi^7*log(4)+pi^5*log(4)
zeta(7)-zeta(5)= log(4)(-pi^7+pi^5)

$$x = -21\,\zeta(3) + \zeta(7) + \pi^7\log(4)$$

zeta(5)-zeta(7)-π^5

\sum_{k=1}^\infty \frac{1}{k^5*2^(k-1)}+(log2)^5≈1.1768

$$\sum_{k=1}^{\infty} \frac{1}{k^5 \times 2^{k-1}} + \log^5(2)$$

ζ(5) + log^5(2)≈1.19693

log(2)=0.6931471805599453094172321214

x=1.00835+log^7(2)

zeta(5)={sqrt(3)/log(10)*(sqrt(3)-1)}*log(2)[zeta(3)-1]

=sqrt(3)*log(2)[zeta(3)-1] /log(10)*(sqrt(3)-1)

$$\zeta(3)\times \frac{\zeta(5)\log(5)+(\zeta(5)-\zeta(3))\log(2)}{\zeta(3)\log(10)} + \frac{\log(2)}{\log(2)+\log(5)} =$$

0.976102566461359790334359

ζ(5)[1- ζ(3) log(5) - log(2) - ζ(3)]= ζ(3) [[ζ(5) - ζ(3)] / [ζ(3) log(10)] + log(2)/[log(2) + log(5)]

ζ(5)[1- ζ(3) log(5) - log(2) - ζ(3)]= ζ(5) (-(ζ(3) + ζ(3) log(5) - 1 + log(2)))

ζ(5)[1- ζ(3) log(5) - log(2) - ζ(3)] = ζ(3) log(5) - 1 + log(2)

ζ(5) = [ζ(3) *log(5) - 1 + log(2) + ζ(3)]/[1- ζ(3) *log(5) - log(2) - ζ(3)]

\zeta(5)=11969/10000- log^5(2)=1.03693

\zeta(7)=10852/10000-log^7(2)= 1.00835

\zeta(9)=10389/10000- log^9(2)=1.00201

\zeta(11)=10182/10000-log^11(2)=1.00049

\zata(13)=100865/100000-log^13(2)= 1.00012

zeta(3)=1.202056903159594285399738

zeta(5)=1.0369277551433699263314...
zeta(7)= 1.0083492773819228268398....
zeta(9)= 1.0020083928260822144...
zeta(11)=1.0004941886041194645....
zeta(13)= 1.0001227133475784891...

$$\zeta(5) = \frac{11969}{10000} - log^5(2) \tag{1}$$

$$\zeta(7) = \frac{10852}{10000} - log^7(2) \tag{2}$$

$$\zeta(9) = \frac{10389}{10000} - log^9(2) \tag{3}$$

$$\zeta(11) = \frac{10182}{10000} - log^{11}(2) \tag{4}$$

$$\zeta(13) = \frac{100865}{100000} - log^{13}(2) \tag{5}$$

References

1) https://en.wikipedia.org/wiki/Riemann_hypothesis

postscript

The cold when I found the first one is still continuing now and this may be my last post. I may have discovered another by surging my energy and it may not be counter example.

It may be written as a will.

I am writing this at the limit of power.

I write this with spitting blood.

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I am a psychiatrist now and also a doctor of brain surgery before.

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I would like to receive an email. I will not answer the phone.

Currently 57 years old
Born on November 26, 1961
（**I am very poor of English. Almost all document are google-translation.**）
When converted to English by Google translation, it becomes cryptic to me.
But, I read letter by google translation.
In my case, if you translate it into English by google translation, I do not know what is written in my paper. For me, foreign languages such as English (actually not good at Japanese) is a demon.
As soon as it is translated into English, it turns.