

## The Exact Fermion-Boson Empirical Equation

Sylwester Kornowski

**Abstract:** The exact fermion-boson formula (within experimental error) binds masses of neutron, proton and electron with masses of pions and W and Z bosons. Such formula gives us the opportunity to decrease the experimental uncertainty for the W boson - we obtained 80.3813(11) GeV instead 80.379(12) GeV.

The exact fermion-boson formula looks as follows

$$[(n + p) / 2] / e^{\pm} = [2(W^{\pm} + \pi^{\pm}) + Z] / [(\pi^{\pm} + \pi^0) / 2], \quad (1)$$

where

$$\begin{aligned} n &= 939.565413(6) \text{ MeV}, \\ p &= 938.272081(6) \text{ MeV}, \\ e^{\pm} &= 0.5109989461(31) \text{ MeV}, \\ \pi^{\pm} &= 139.57061(24) \text{ MeV}, \\ \pi^0 &= 134.9770(5) \text{ MeV}, \\ W^{\pm} &= 80.379(12) \text{ GeV}, \\ Z &= 91.1876(21) \text{ GeV} [1]. \end{aligned}$$

On the left side  $L$  in formula (1) are fermions which are the constituents of atoms, while on the right side  $R$  are bosons.

Introduce following symbols

$$\begin{aligned} N_{\text{mean}} &= (n + p) / 2, \\ \pi_{\text{mean}} &= (\pi^{\pm} + \pi^0) / 2. \end{aligned}$$

We can rewrite formula (1) by using the introduced symbols

$$N_{\text{mean}} \pi_{\text{mean}} / e^{\pm} = 2(W^{\pm} + \pi^{\pm}) + Z, \quad (2)$$

The left side is equal to  $L = 252.2294$  GeV. On the other hand, the right side is equal to  $R = 252.2247(261)$  GeV. We can see that both sides are equal within experimental error  $L = R$ . Lowest accuracy has the mass of the  $W^\pm$  boson so we can use formula (2) (or (1)) to decrease uncertainties – instead the experimental value  $W^\pm = 80.379(12)$  GeV, we obtain  $W_{\text{model}}^\pm = 80.3813(11)$  GeV.

How we can interpret formula (1)? We can see that transition from electrons to nucleons is equivalent to transition from pions to pions and  $W^\pm$  and  $Z$  bosons, i.e. the  $W^\pm$  and  $Z$  bosons do not concern electrons directly as it is in the Standard Model (SM).

The exact fermion-boson formula and the last conclusion are the main elements in this paper.

In the Scale-Symmetric Theory (SST), mass of the  $W_{\text{SST}}^\pm$  boson is defined as follows

$$W_{\text{SST}}^\pm = 4(e^+ + e^-)_{\text{bare}} X_W + e^\pm = 80.3806 \text{ GeV}, \quad (3)$$

where  $e_{\text{bare}}^\pm = 0.510407011$  MeV is the bare mass of electron, and  $X_W = 19685.3$  is the ratio of coupling constants for weak interactions of protons and electrons [2].

Applying the value from formula (3) and using formula (2) we obtain  $Z = 91.1891$  GeV.

We can see that the predicted masses of the  $W^\pm$  and  $Z$  bosons within SST are respectively 80.3806 GeV and 91.1891 GeV.

Notice that we can replace the right side for  $R = 2(H^0 + n) = 252.24(32)$  GeV, where  $H^0 = 125.18(16)$  GeV is the mass of Higgs boson [1].

## References

- [1] M. Tanabashi *et al.* (Particle Data Group).  
Phys. Rev. D **98**, 030001 (2018)
- [2] Sylwester Kornowski (23 February 2018). “Foundations of the Scale-Symmetric Physics (Main Article No 1: Particle Physics)”  
<http://vixra.org/abs/1511.0188>