Original article

The Collapse of the Liemann Empire (Chapter II)

Mathematical circles dominated by monsters such as analysis connection

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Abstract

In the mathematical world there was a crawl of analytical connections walking around and I noticed the fact that the mathematics world was dominated by the monster.
You should wake up quickly escape from the brainwashing analysis connection (monster).

I notice this, I will dare to write for justice.

I have tried to prove Riemann hypothesis, I noticed this.
That is, Riemann hypohesis is fundamentally completely mistake.

introduction

\sum_{n=1}^{960}\frac{1}{n^{2}}=1.6438929425279.....
\sum_{n=1}^{3000}\frac{1}{n^{2}}=1.644600789064275819....
\sum_{n=1}^{6000}\frac{1}{n^{2}}=1.64476741406967705.....
\sum_{n=1}^{19000}\frac{1}{n^{2}}=1.64488143665429632....
\sum_{n=1}^\infty \frac{1}{n^{2}}= 1.644934066848226.....
\sum_{n=1}^{960}\frac{1}{n^{3}}=1.202056361189718.....
\sum_{n=1}^\infty \frac{1}{n^{3}}=1.2020569031595942.....
\sum_{n=1}^{100}\frac{1}{n^{4}}=1.082322905344473.....
\sum_{n=1}^\infty\frac{1}{n^{4}}=1.08232290534.....
\sum_{n=1}^\infty \frac{1}{n^{4}}=π^4/90=1.0823232....
\sum_{n=1}^\infty \frac{1}{n^{5}}=ζ(5)=1.036927755....

Discussion

sum_{n=1}^{160}\frac{1}{n^s} ,{s=0.5+i14.1347 }≒0.382555 - 0.810275 i sum_{n=1}^{960}\frac{1}{n^s} ,{s=0.5+i14.1347 }≒0.615275 - 2.10313 i
sum_{n=1}^{1960}\frac{1}{n^{0.5+i14.1347}}≒1.14878171095715... + 2.9121792... i
sum_{n=1}^{3000}\frac{1}{n^{0.5+i14.1347}}≒0.4174005668... + 3.85034736007... i
sum_{n=1}^{5000}\frac{1}{n^{0.5+i14.1347}}≒4.322461... + 2.51272900221396... i
sum_(n=1)^9000 1/n^(0.5 + i 14.1347)≒0.48920272485704 - 6.689881566383131 i
sum_(n=1)^9160 1/n^(0.5+i14.1347)≒ -1.185309 - 6.662485 i
sum_{n=1}^{9960}\frac{1}{n^{0.5+i14.1347 }}≒-6.899473372 - 1.4798296377 i
sum_(n=1)^9960 1/n^(0.5 + i 14.134725142)≒-6.8998 - 1.4782107 i
sum_(n=1)^9960 1/n^(0.5 + i 14.13472514173469 37904)≒-6.8998 - 1.47821 i
sum_(n=1)^19000 1/n^(0.5 + i 14.1347)≒8.5184 + 4.73502121617 i
sum_(n=1)^19160 1/n^(0.5+i14.1347)≒ 9.05644139 + 3.710020 i

sum_(n=1)^19960 1/n^(0.5 + i 14.13472514173469379045)≒9.81007 - 1.8827738 i
sum_(n=1)^19960 1/n^(0.5 + i 14.1347)≒9.810559359 - 1.880355 I
sum_(n=1)^29000 1/n^(0.5 + i 14.1347)≒8.2696693 + 8.751341 i
sum_(n=1)^39000 1/n^(0.5 + 14.1347 i)≒-13.587942799 + 3.214242917 i
sum_(n=1)^49000 1/n^(0.5 + 14.1347 i)≒14.87108966 - 4.8790165 i
sum_(n=1)^59000 1/n^(0.5 + 14.1347 i)≒-16.8331588 - 3.404215524038 i

sum_(n=1)^960 1/n^(0.5 + 21.022 i)≒ -0.1791783506394 + 1.46289992 i
sum_(n=1)^9000 1/n^(0.5 + 21.022 i)≒0.92865011317 - 4.41509626 i
sum_(n=1)^10000 1/n^(0.5 + 21.022 i)≒ -4.309478891 + 2.011205 i
sum_(n=1)^19000 1/n^(0.5 + 21.022 i)≒-1.353386+ 6.41392288 i
sum_(n=1)^20000 1/n^(0.5 + 21.022 i)≒ 5.141799133223 + 4.3351548258 i
sum_(n=1)^29000 1/n^(0.5 + 21.022 i)≒ 5.482377543 - 5.960709322 i
sum_(n=1)^30000 1/n^(0.5 + 21.022 i)≒ 0.254964134138568 - 8.2330654 i
sum_(n=1)^39000 1/n^(0.5 + 21.022 i)≒6.7292629 - 6.551265 i
sum_(n=1)^40000 1/n^(0.5 + 21.022 i)≒ 2.50556618693 - 9.1752959 i
sum_(n=1)^49000 1/n^(0.5 + 21.022 i)≒7.96403371 + 6.884077 i
sum_(n=1)^50000 1/n^(0.5 + 21.022 i)≒ 10.195572543 + 3.0213407 i
sum_(n=1)^59000 1/n^(0.5 + 21.022 i)≒-11.53703776282 + 0.57407167486 i
sum_(n=1)^60000 1/n^(0.5 + 21.022 i)≒ -10.71541936 + 4.568782 i
sum_(n=1)^69000 1/n^(0.5 + 21.022 i)≒12.24414975344 - 2.4756617791 i
sum_(n=1)^70000 1/n^(0.5 + 21.022 i)≒ 11.0298955836 - 6.054039736358 i

sum_(n=1)^{960} 1/n^(0.5 + I 25.01085)≒ 1.047016... -0.662357... i
sum_(n=1)^{960} 1/n^(0.5 - I 25.01085)≒ 1.047016... + 0.662357... i
sum_(n=1)^9960 1/n^(0.5 + I 25.01085)≒ -3.22926 - 2.3427 i
sum_(n=1)^9960 1/n^(0.5 - I 25.01085) ≒ -3.22926 +2.3427 i

sum_(n=1)^19960 1/n^(0.5 + I 25.01085)≒2.8093359 - 4.8994 i
sum_(n=1)^19960 1/n^(0.5 - I 25.01085)≒ 2.8093359 + 4.8994 i
sum_(n=1)^29960 1/n^(0.5 + I 25.01085)≒ 1.4566464 + 6.76418 i
sum_(n=1)^29960 1/n^(0.5 - I 25.01085)≒ 1.4566464 + 6.76418 i
sum_(n=1)^39960 1/n^(0.5 + I 25.01085)= 7.235095 + 3.39252 i
sum_(n=1)^39960 1/n^(0.5 - I 25.01085)= 7.235095 - 3.39252 i
sum_(n=1)^49960 1/n^(0.5 + I 25.01085)= 3.76619 + 8.10254 i
sum_(n=1)^49960 1/n^(0.5 - I 25.01085)= 3.76619 - 8.10254 i
sum_(n=1)^59960 1/n^(0.5 + I 25.01085)= -9.390834 + 2.761776 i
sum_(n=1)^59960 1/n^(0.5 - I 25.01085)= -9.390834 - 2.761776 i
sum_(n=1)^69960 1/n^(0.5 + I 25.01085)= 5.6929367 - 8.90986585 i
sum_(n=1)^69960 1/n^(0.5 - I 25.01085)= 5.6929367 + 8.90986585 i
sum_(n=1)^79960 1/n^(0.5 + I 25.01085)= unable calculate??

References

1) https://en.wikipedia.org/wiki/Riemann_hypothesis

postscript

The cold when I found the first one is still continuing now and this may be my last post. I may have discovered another by surging my energy and it may not be counter example.
It may be written as a will.
I am writing this at the limit of power.
I write this with spitting blood.
I will post it in a hurry, as long as I have not done it before I die.

☃～☃～☃～☃～☃～

I am a psychiatrist now and also a doctor of brain surgery before.

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I would like to receive an email. I will not answer the phone.

Currently 57 years old
Born on November 26, 1961
（I am very poor of English. Almost all document are google-translation.）
When converted to English by Google translation, it becomes cryptic to me.
But, I read letter by google translation.
In my case, if you translate it into English by google translation, I do not know what is written in my paper. For me, foreign languages such as English (actually not good at Japanese) is a demon.
As soo