

$$2 / ((\text{Planck Kinematic Viscosity})^3 * (13.8880509 \text{ billion light years})^3)^{(1 / 3)} = \text{Pi} (s / m^3)$$

#PlanckCatenary & #HubbleConstant & #RadiusOfTheUniverse & #MassOfTheUniverse

#PlanckKinematicViscosity

$$((\hbar / \text{planck length}) / c) * ((c^4) / G) * \text{planck length} = 42.5742351 \text{ m}^2 \text{ kg}^2 / \text{s}^2$$

$$(\text{Planck Mass}) * (\text{Planck Acceleration}) * (\text{planck length height}) = 42.5742351 \text{ m}^2 \text{ kg}^2 / \text{s}^2 \text{ potential gravitational energy}$$

$$(((1 / 1.70377849e53) * \text{kg}) * ((c^4) / G) * ((13.8880509 \text{ billion light years}) / (299792458^2))) / (\hbar / ((2\pi) * \text{planck length})) = 1 \text{ m kg} / \text{s}$$

$$((13.8880509 \text{ billion light years}) / (2\pi)) / ((c / (67798.6421 ((m / s) / \text{Mpc}))) / (\hbar / \text{planck length})) = 1 \text{ m kg} / \text{s} = \text{hubble law}$$

$$e^2 = (mc^2)^2 + (pc)^2$$

<https://www.youtube.com/watch?v=brU5yLm9DZM>

<https://photos.app.goo.gl/pnxdoAmz7M355szY8>

$$(c / (\pi^2)) / (((1 \text{ Mpc}) / (67798.6421 (m / s))) * G) = 1 \text{ kg} / \text{m}^2$$

$$(((4.84533077e-27 (m^2)) / s) * (((1 \text{ Mpc}) / 67798.6421) * (m / s))) * c * (\pi^2) / (\hbar / \text{planck length}) = 1 \text{ m}^4/\text{kg}/\text{s}^2$$

$$(\text{Planck Kinematic Viscosity}) * (\text{Hubble Constant}) * c * \pi^2 / (\hbar / \text{planck length}) = 1 \text{ m}^4/\text{kg}/\text{s}^2$$

$$2 / ((\text{Planck Kinematic Viscosity})^3 * (13.8880509 \text{ billion light years})^3)^{(1 / 3)} = \text{Pi} (s / m^3)$$

$$2 / (((((4.84533077e-27 (m^2)) / s)^3) * ((13.8880509 \text{ billion light years})^3))^{(1 / 3)}) = 3.14159265 \text{ s} / \text{m}^3$$

$$(\hbar / \text{planck length}) / (((3^3) / ((3^3) - 1)) * (2 * \pi)) = 1.00000724 \text{ m kg} / \text{s}$$

<https://photos.app.goo.gl/JRHydsVrkFZgG7Ke8>

#AcousticPhoton

#BjerknesBrachistochronePhoton

<https://youtu.be/lhLd18Xg6x0>

#CohlFurey

https://www.youtube.com/playlist?list=PLNxlPHaOTRZMO1VjJcs7_3dgyJ2qU1yZ

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$2 / (((((4.84533077\text{e-}27 (\text{m}^2)) / \text{s})^3) * ((13.8880509 \text{ billion light years})^3))^{(1 / 3)}) = 3.14159265 \text{ s} / \text{m}^3$

<https://photos.app.goo.gl/jjt3AKK4psWqS9iH7>

Schwarz p minimal surface = Catenary

$\cos(x)+\cos(y)+\cos(z)= 0$

$e^{(-i x)/2} + e^{(i x)/2} + e^{(-i y)/2} + e^{(i y)/2} + e^{(-i z)/2} + e^{(i z)/2} = 0$

<https://youtube.com/watch?v=Bnh2AplyKi4>

https://youtube.com/watch?v=fFyHTU8tg_0

<https://youtube.com/watch?v=04854XqcfCY>

#DahlWinters

<http://unc.academia.edu/DahlWinters>

#DavidFuller

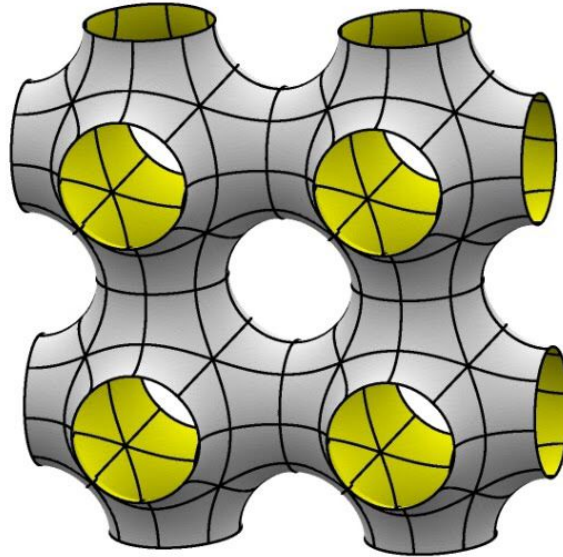
<https://mpi-hd-mpg.academia.edu/DavidFuller>

schwartz p minimal surface

$$\cos(x) + \cos(y) + \cos(z) = 0$$

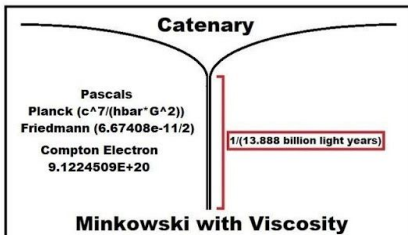
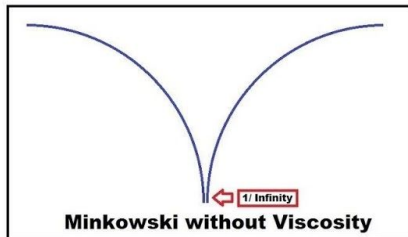
$$e^{-(i x)/2} + e^{(i x)/2} + e^{-(i y)/2} + e^{(i y)/2} + e^{-(i z)/2} + e^{(i z)/2} = 0$$

$$\frac{e^{-ix}}{2} + \frac{e^{ix}}{2} + \frac{e^{-iy}}{2} + \frac{e^{iy}}{2} + \frac{e^{-iz}}{2} + \frac{e^{iz}}{2} = 0$$



$$4 / ((4.84533077e-27 \text{ (m}^2\text{)} / \text{s}^2) / \text{s}^2) = 1.70377849e+53 \text{ kg}$$

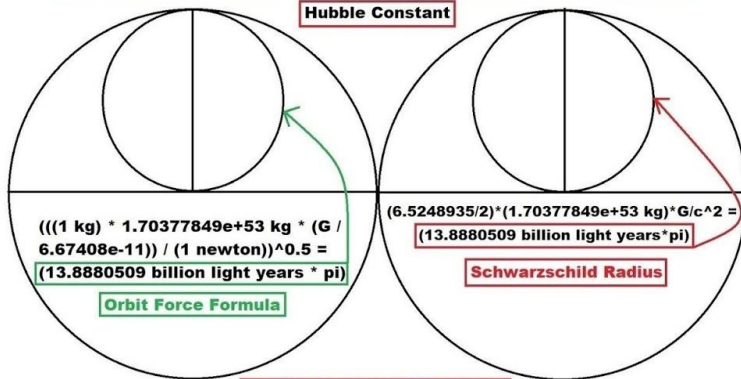
$$4 / (\text{Planck Kinematic Viscosity})^2 = (\text{Mass of Visible Universe})$$



$$c / ((6.5248935/2) / \pi^2) / (13.8880509 \text{ billion light years} \cdot \pi) = (67798.6421 \text{ m/s}) / (1 \text{ Mpc})$$

$$(1.70377849e+53 \text{ kg} \cdot c) \cdot (0.5 \text{ Planck length})^3 / (0.5 \text{ Planck Time}) = 1$$

Hubble Constant



$$(27 / 13) \cdot \pi = 6.52484628053$$

$$\hbar \text{bar} / \text{planck length} = 6.5248935 \text{ m kg / s}$$

$$27 / (27 - 1) = 1.03846153846$$

$$3^3 = 27$$

$$\text{Radii} = 3 = (2+1)$$

