

# Refutation of a fast algorithm for network forecasting time series from definition of visibility graph

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**Abstract:** We evaluate a definition of the visibility graph as *not* tautologous to deny a fast algorithm for forecasting time series. Hence the conjecture of a forecasting algorithm is denied. This forms a *non* tautologous fragment of the universal logic VŁ4. However, we resuscitate the conjecture using the Kanban cell neuron network (KCNN), a linear step-wise function, for the desired conjecture without injected data.

We assume the method and apparatus of Meth8/VŁ4 with Tautology as the designated proof value, **F** as contradiction, **N** as truthity (non-contingency), and **C** as falsity (contingency). The 16-valued truth table is row-major and horizontal, or repeating fragments of 128-tables, sometimes with table counts, for more variables. (See ersatz-systems.com.)

LET  $\sim$  Not,  $\neg$ ; + Or,  $\vee$ ,  $\cup$ ,  $\sqcup$ ; - Not Or; & And,  $\wedge$ ,  $\cap$ ,  $\square$ , ;; \ Not And;  
 $>$  Imply, greater than,  $\rightarrow$ ,  $\Rightarrow$ ,  $\mapsto$ ,  $>$ ,  $\supset$ ,  $\succ$ ;  $<$  Not Imply, less than,  $\in$ ,  $<$ ,  $\subset$ ,  $\prec$ ,  $\preceq$ ,  $\leq$ ;  
 $=$  Equivalent,  $\equiv$ ,  $:=$ ,  $\Leftrightarrow$ ,  $\leftrightarrow$ ,  $\hat{=}$ ,  $\approx$ ,  $\simeq$ ; @ Not Equivalent,  $\neq$ ;  
 $\%$  possibility, for one or some,  $\exists$ ,  $\diamond$ , **M**; # necessity, for every or all,  $\forall$ ,  $\square$ , **L**;  
 $(z=z)$  **T** as tautology, **T**, ordinal 3;  $(z@z)$  **F** as contradiction,  $\emptyset$ , Null,  $\perp$ , zero;  
 $(\%z>\#z)$  **N** as non-contingency,  $\Delta$ , ordinal 1;  $(\%z<\#z)$  **C** as contingency,  $\nabla$ , ordinal 2;  
 $\sim(y < x)$   $(x \leq y)$ ,  $(x \subseteq y)$ ;  $(A=B)$   $(A\sim B)$ ;  $(B>A)$   $(A\vdash B)$ ;  $(B>A)$   $(A\neq B)$ .  
 Note for clarity, we usually distribute quantifiers onto each designated variable.

From: Liu, F.; Deng, Y. (2019). A fast algorithm for network forecasting time series.  
 vixra.org/pdf/1905.0080v1.pdf liufanuestc@gmail.com, dengentropy@uestc.edu.cn

**Definition 2** Connectivity in time series is defined as follows [27].

**Remark Def. 2:** The definition as the basis of the titled conjecture for a fast algorithm is derived from the footnote source below.

[27] Lacasa, L. et al. (2008). From time series to complex networks: the visibility graph.  
 Proceedings of the National Academy of Sciences of the United States of America.  
 105. 13:4972–5. pnas.org/content/pnas/105/13/4972.full.pdf lucas@dmae.upm.es

More formally, we can establish the following visibility criteria: two arbitrary data values  $(t_a, y_a)$  and  $(t_b, y_b)$  will have visibility, and consequently will become two connected nodes of the associated graph, if any other data  $(t_c, y_c)$  placed between them fulfills:  $y_c < y_b + (y_a - y_b)((t_b - t_c)/(t_b - t_a))$ .

$$\text{LET } p, q, r, t, y: a, b, c, t, y. \tag{1.1}$$

$$\begin{aligned} & (((t\&p)\&(y\&p))\<((t\&r)\&(y\&r))\<((t\&q)\&(y\&q))) > \\ & ((t\&r)\<((t\&q)\&(((y\&p)\&-(y\&q))\&(((t\&q)\&-(t\&r))\&((t\&q)\&-(t\&p)))))) ; \\ & \text{TTTT TTTT TTTT TTTT ( 1) ,} \\ & \text{TFTT TTTT TFTT TTTT ( 1) } \end{aligned} \tag{1.2}$$

Eq. 1.2 as rendered is *not* tautologous. This means the original definition in Eq. 1.1, from which Definition 2 is derived, is refuted. Hence the conjecture of a forecasting algorithm is denied. However, we resuscitate Eq. 1.2 using the Kanban cell neuron network (KCNN), a linear step-wise function, for the desired conjecture without resorting to any other injected data between extrema:  $((t\&p)\&(y\&p))\<((t\&q)\&(y\&q))\>((y\&q)\&(((y\&p)\&-(y\&q))\&((t\&q)\&-(t\&p))))$ .

$$\text{TTTT TTTT TTTT TTTT} \tag{1.3}$$