Polynomials Generating Twin Prime Numbers

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Abstract

In the Ulam spiral, there are places where prime numbers appear continuously on line. Integers are arranged in a square spiral in the Ulam spiral. I thought that if integers are arranged differently, other continuous prime numbers would appear. Therefore, I arrange integers in the angles of 45, 90, 135, 180, 225, 270, 315, 153, 160 degrees, etc.. Then, prime numbers appeared continuously on line. And usually, integers are arranged, but I wonder what would happen if I arranged odd numbers. I arrange odd numbers in the angles of 45, 90, 135, 180, 225, 270, 315, 360, 153, 160 degrees, etc.. Then, twin prime numbers appeared continuously on line etc.. I found many polynomials generating 14 to 4 consecutive twin prime numbers.

Contents

1 Introduction

I was interested in prime numbers looking at the Ulam spiral, I analyzed it myself. And I learned that Euler's polynomial generating prime numbers is simple and great. I thought that other polynomials generating prime numbers may be found in other arrangements, I investigate. In addition, I thought that polynomials generating twin prime numbers may be found by arranging add numbers. I found many polynomials generating 14 to 4 consecutive twin prime numbers, and I collect the results.

These algebraic polynomials have the property that for n = 0, 1, ..., m-1 value of the polynomial, eventually in module, are m primes.

2 Polynomials generating prime numbers

2.1 The Ulam spiral

In the Ulam spiral, there are places where prime numbers appear continuously on line. I noticed that there are places where prime numbers appear continuously in a certain pattern in the Ulam spiral, although they do not appear continuously on line. They are two polynomials, $P(n) = 4n^2 + 2n + 41$ and $P(n) = 4n^2 + 6n + 43$, generates 20 primes, see Figure 2.1. Each value is a value obtained by skipping one of Euler prime numbers. When the values of the two polynomials are inserted alternately, the values are the same as values of Euler prime numbers, see Figure 2.1.

2.2 Polynomial generating prime numbers 1

Integers are arranged in a square spiral in the Ulam spiral, but I thought that if integers are arranged differently, other continuous prime numbers would appear. Therefore, I arrange integers in the angles of 45, 90, 135, 180, 225, 270, 315, 153, 160 degrees, etc., using a computer. Then, prime numbers appeared continuously on line.

In 180 degrees arrangement, see Figure 2.2, 29 prime numbers appear continuously. It was prime numbers of Legendre polynomial [1798], $P(n) = 2n^2 + 29$, generates 29 primes: 29, 31, 37, 47, 61, 79, 101, 127, 157, 191, 229, 271, 317, 367, 421, 479, 541, 607, 677, 751, 829, 911, 997, 1087, 1181, 1279, 1381, 1487, 1597 .

2.3 Polynomial generating prime numbers 2

In 135 degrees arrangement, see Figure 2.3, 29 prime numbers appear continuously. It was prime numbers of Brox polynomial [2006], $P(n) = 6n^2 - 342n + 4903$ (or $6n^2 + 6n + 31$), generates 29 primes: 4903, 4567, 4243, 3931, 3631, 3343, 3067, 2803, 2551, 2311, 2083, 1867, 1663, 1471, 1291, 1123, 967, 823, 691, 571, 463, 367, 283, 211, 151, 103, 67, 43, 31 . Also, in Figure 2.3, prime numbers of polynomials, $P(n) = 6n^2 + 6n + p$, p are lucky numbers p = 5, 7, 11, 17, 31, are clearly appeared. In addition, prime numbers of polynomials, $P(n) = 6n^2 + p$, p are lucky numbers p = 5, 7, 13, 17, are clearly appeared.

2.4 Polynomial generating prime numbers 3

In 270 degrees arrangement, see Figure 2.4, 22 prime numbers appear continuously. It was prime numbers of Frame polynomial [2018], $P(n) = 3n^2 + 3n + 23$, generates 22 primes: 23, 29, 41, 59, 83, 113, 149, 191, 239, 293, 353, 419, 491, 569, 653, 743, 839, 941, 1049, 1163, 1283, 1409 .

2.5 Euler's polynomial generating prime numbers

In 90 degrees arrangement, see Figure 2.5 and the hexagonal 90 degrees arrangement, see Figure 2.6 (illustrated as a rectangle for simplification in Figure 2.6), 40 prime numbers appear continuously. It was prime numbers of Euler's polynomial, $P(n) = n^2 + n + 41$, generates 40 primes. Also, prime numbers of polynomial, $P(n) = n^2 + n + p$, p are Euler's lucky numbers p = 3, 5, 11, 17, 41, are clearly appeared.

2.6 Other polynomials generating prime numbers

I found polynomials generating prime numbers with small continuous numbers, and I will collect them in the future.

3 Polynomials generating twin prime numbers

Integers are arranged in the Ulam spiral, but I wonder what would happen if I arranged odd numbers. I arrange odd numbers in the angles of 45, 90, 135, 180, 225, 270, 315, 360, 153, 160 degrees, etc., using a computer. I mark the twin prime numbers. (In the figure of 360 degrees, I mark the prime numbers and twin prime numbers.) Then, twin prime numbers appeared continuously on line etc.. I found many polynomials generating twin prime numbers. The generating appearance of prime numbers are diagonal, vertical, and horizontal lines and evenly spaced, but the generating appearance of twin prime numbers are diagonal, vertical, horizontal, and curved lines and evenly spaced or not-evenly spaced.

3.1 Polynomial generating twin prime numbers 1

When odd numbers are arranged in 45 degrees arrangement, see Figure 3.1, continuous twin prime numbers appear.
The produce of polynomial is as follows. (Since the method of obtaining the polynomial in Section 3.1 is difficult to understand, so I recommend to refer to the method of obtaining the polynomial in Section 3.2.) The central values of the twin prime numbers are 12, 42, 102, 192, 312, 462, 642.

12			12	n=0
	30			
42		30	42=(12+30)	n=1
	60		=12+30x1	
102		30	102=(12+30)+(30+30)	n=2
	90		=12+30x2+30x1	
192		30	192=(12+30)+(30+30)+(30+30+30)	n=3
	120		=12+30x3+30x3	
312		30	312=(12+30)+(30+30)+(30+30+30)+(30+30+30+30)	n=4
	150		=12+30x4+30x6	
462		30	462=(12+30)+(30+30)+(30+30+30)+(30+30+30+30)	n=5
	180		+(30+30+30+30+30)=12+30x5+30x10	
642			642= · · · · ·	

$$f(n)=12+30n+30 \times n(n-1)/2=12+30n+15n^2-15n=15n^2+15n+12$$

This polynomial is twin prime numbers even if n = -1 to -7, so I insert n=n-7,

$$f(n)=15(n-7)^2+15(n-7)+12=15n^2-15 \times 2 \times 7n+15 \times 7 \times 7+15n-15 \times 7+12=15n^2-210n+735+15n-105+12$$

$$=15n^2-195n+642$$

This is polynomial generating 14 twin prime numbers.

$P(n) = 15n^2 - 195n + 642 \pm 1$, generates 14 twin primes: 641/643, 461/463, 311/313, 191/193, 101/103, 41/43, 11/13, 11/13, 41/43, 101/103, 191/193, 311/313, 461/463, 641/643 . But since the same twin prime numbers take twice each, so it is polynomial that 7 succession appear twice.

3.2 Polynomial generating twin prime numbers 2

When odd numbers are arranged in 180 degrees arrangement, see Figure 3.2, continuous twin prime numbers appear.

The produce of polynomial is as follows. The central values of the twin prime numbers are 60, 150, 270, 420, 600, 810, 1050, 1320, 1620, 1950, 2310.

60			60	n=0
	90			
150		30	150=(60+90)	n=1
	120		=60+90x1	
270		30	270=(60+90)+(90+30)	n=2
	150		=60+90x2+30x1	
420		30	420=(60+90)+(90+30)+(90+30+30)	n=3
	180		=60+90x3+30x3	
600		30	600=(60+90)+(90+30)+(90+30+30)+(90+30+30+30)	n=4
	210		=60+90x4+30x6	
810		30	810=(60+90)+(90+30)+(90+30+30)+(90+30+30+30)	n=5
	240		+(90+30+30+30+30)=60+90x5+30x10	
1050			1050= ・ ・ ・ ・ ・	
			$f(n)=60+90n+30xn(n-1)/2=60+90n+15n^2-15n=15n^2+75n+60$	

This is polynomial generating 11 twin prime numbers.

$P(n) = 15n^2 + 75n + 60 \pm 1$, generates 11 twin primes: 59/61, 149/151, 269/271, 419/421, 599/601, 809/811, 1049/1051, 1319/1321, 1619/1621, 1949/1951, 2309/2311 .

3.3 Polynomial generating twin prime numbers 3

When odd numbers are arranged in 270 degrees arrangement, see Figure 3.3,

continuous twin prime numbers appear.
The produce of polynomial is as follows. The central values of the twin prime numbers are 6, 12, 30, 60, 102.

6			6	n=0
	6			
12		12	12=(6+6)	n=1
	18		=6+6x1	
30		12	30=(6+6)+(6+12)	n=2
	30		=6+6x2+12x1	
60		12	60=(6+6)+(6+12)+(6+12+12)	n=3
	42		=6+6x3+12x3	
102			102=(6+6)+(6+12)+(6+12+12)+(6+12+12+12)	n=4
			=6+6x4+12x6	

$f(n)=6+6n+12xn(n-1)/2=6+6n+6n^2-6n=6n^2+6$

This polynomial is twin prime numbers even if n = -1 to -4, so I insert n=n-4

$f(n)=6(n-4)^2+6=6n^2-6x2x4n+6x4x4+6=6n^2-48n+96+6=6n^2-48n+102$

This is polynomial generating 9 twin prime numbers.
$P(n) = 6n^2 - 48n + 102 \pm 1$, generates 9 twin primes: 101/103, 59/61, 29/31, 11/13, 5/7, 11/13, 29/31, 59/61, 101/103 .
But since the same twin prime numbers take twice each, so it is polynomial that 5 succession appear twice.

3.4 Polynomial generating twin prime numbers 4

When odd numbers are arranged in 360 degrees arrangement, see Figure 3.4, continuous twin prime numbers appear.
The produce of polynomial is as follows. The central values of the twin prime numbers are 18, 12, 150, 432, 858, 1428, 2142, 3000, 4002.

18			18	n=0
	-6			
12		144	12=(18-6)	n=1
	138		=18-6x1	
150		144	150=(18-6)+(-6+144)	n=2

	282		=18-6x2+144x1	
432		144	432=(18-6)+(-6+144)+(-6+144+144)	n=3
	426		=18-6x3+144x3	
858		144	858=(18-6)+(-6+144)+(-6+144+144)+(-6+144+144+144)	n=4
	570		=18-6x4+144x6	
1428		144	1428=(18-6)+(-6+144)+(-6+144+144)+(-6+144+144+144)	n=5
	714		+(-6+144+144+144+144)= 18-6x5+144x10	
2142			1050= · · · · ·	

$f(n)=18-6n+144n(n-1)/2=18-6n+72n^2-72n=72n^2-78n+18$

This is polynomial generating 9 twin prime numbers.

$P(n) = 72n^2 - 78n + 18 \pm 1$, generates 9 twin primes: 17/19, 11/13, 149/151, 431/433, 857/859, 1427/1429, 2141/2143, 2999/3001, 4001/4003 .

3.5 Polynomial generating twin prime numbers 5

When odd numbers are arranged in 60 degrees arrangement, see Figure 3.5, continuous twin prime numbers appear.

Since the method of obtaining the polynomial is the same as the method described above, so it will be omitted below.

This is polynomial generating 7 twin prime numbers.

$P(n) = 75n^2 - 345n + 420 \pm 1$, generates 7 twin primes: 419/421, 149/151, 29/31, 59/61, 239/241, 569/571, 1049/1051 .

3.6 Polynomial generating twin prime numbers 6

When odd numbers are arranged in 180 degrees arrangement, see Figure 3.6, continuous twin prime numbers appear.

This is polynomial generating 6 twin prime numbers.

$P(n) = 3n^2 + 21n + 18 \pm 1$, generates 6 twin primes: 17/19, 41/43, 71/73, 107/109, 149/151, 197/199 .

3.7 Polynomial generating twin prime numbers 7

When odd numbers are arranged in 135 degrees arrangement, see Figure 3.7, continuous twin prime numbers appear.

This is polynomial generating 6 twin prime numbers.

$P(n) = 3n^2 + 27n + 72 \pm 1$, generates 6 twin primes: 71/73, 101/103, 137/139, 179/181, 227/229, 281/283 .

3.8 Polynomial generating twin prime numbers 8

When odd numbers are arranged in 180 degrees arrangement, see Figure 3.8, continuous twin prime numbers appear.
This is polynomial generating 6 twin prime numbers.
$P(n) = 3n^2 + 69n + 198 \pm 1$, generates 6 twin primes: 197/199, 269/271, 347/349, 431/433, 521/523, 617/619 .

3.9 Polynomial generating twin prime numbers 9

When odd numbers are arranged in 160 degrees arrangement, see Figure 3.9, continuous twin prime numbers appear.
This is polynomial generating 6 twin prime numbers.
$P(n) = 6n^2 - 30n + 42 \pm 1$, generates 6 twin primes: 41/43, 17/19, 5/7, 5/7, 17/19, 41/43 .
But since the same twin prime numbers take twice each, so it is polynomial that 3 succession appear twice.

3.10 Polynomial generating twin prime numbers 10

When odd numbers are arranged in 60 degrees arrangement, see Figure 3.10, continuous twin prime numbers appear.
This is polynomial generating 6 twin prime numbers.
$P(n) = 75n^2 - 165n + 102 \pm 1$, generates 6 twin primes: 101/103, 11/13, 71/73, 281/283, 641/643, 1151/1153 .

3.11 Polynomial generating twin prime numbers 11

When odd numbers are arranged in 225 degrees arrangement, see Figure 3.11, continuous twin prime numbers appear.
This is polynomial generating 6 twin prime numbers.
$P(n) = 153n^2 - 135n + 180 \pm 1$, generates 6 twin primes: 179/181, 197/199, 521/523, 1151/1153, 2087/2089, 3329/3331 .

3.12 Polynomial generating twin prime numbers 12

When odd numbers are arranged in 360 degrees arrangement, see Figure 3.12, continuous twin prime numbers appear.

This is polynomial generating 5 twin prime numbers.

$P(n) = 288n^2 - 180n + 30 \pm 1$, generates 5 twin primes: 29/31, 137/139, 821/823, 2081/2083, 3917/3919 .

3.13 Other polynomials generating twin prime numbers

I found many polynomials generating 4 twin prime numbers. The details of diagrams are omitted. The polynomials found in Figure 3.1 to Figure 3.12 are shown in the figures. The figures of polynomials found in the figures other than Figure 3.1 to Figure 3.12 are omitted.

3.13.1 $P(n) = 3n^2 + 69n + 1878 \pm 1$, generates 4 twin primes:
1877/1879, 1949/1951, 2027/2029, 2111/2113 .

3.13.2 $P(n) = 3n^2 + 141n + 1788 \pm 1$, generates 4 twin primes:
1787/1789, 1931/1933, 2081/2083, 2237/2239 .

3.13.3 $P(n) = 6n^2 + 222n + 2082 \pm 1$, generates 4 twin primes:
2081/2083, 2309/2311, 2549/2551, 2801/2803 .

3.13.4 $P(n) = 9n^2 + 3n + 18 \pm 1$, generates 4 twin primes:
17/19, 29/31, 59/61, 107/109 .

3.13.5 $P(n) = 12n^2 + 54n + 42 \pm 1$, generates 4 twin primes:
41/43, 107/109, 197/199, 311/313 .

3.13.6 $P(n) = 12n^2 + 174n + 1092 \pm 1$, generates 4 twin primes:
1091/1093, 1277/1279, 1487/1489, 1721/1723 .

3.13.7 $P(n) = 18n^2 + 240n + 600 \pm 1$, generates 4 twin primes:
599/601, 857/859, 1151/1153, 1481/1483 .

3.13.8 $P(n) = 18n^2 + 252n + 1032 \pm 1$, generates 4 twin primes: 1031/1033, 1301/1303, 1607/1609, 1949/1951 .

3.13.9 $P(n) = 27n^2 + 453n + 1788 \pm 1$, generates 4 twin primes: 1787/1789, 2267/2269, 2801/2803, 3389/3391 .

3.13.10 $P(n) = 33n^2 + 519n + 1998 \pm 1$, generates 4 twin primes: 1997/1999, 2549/2551, 3167/3169, 3851/3853 .

3.13.11 $P(n) = 48n^2 + 150n + 150 \pm 1$, generates 4 twin primes: 149/151, 347/349, 641/643, 1031/1033 .

3.13.12 $P(n) = 51n^2 + 657n + 570 \pm 1$, generates 4 twin primes: 569/571, 1277/1279, 2087/2089, 2999/3001 .

3.13.13 $P(n) = 78n^2 + 228n + 42 \pm 1$, generates 4 twin primes: 41/43, 347/349, 809/811, 1427/1429 .

3.13.14 $P(n) = 90n^2 + 150n + 822 \pm 1$, generates 4 twin primes: 821/823, 1061/1063, 1481/1483, 2081/2083 .

3.13.15 $P(n) = 99n^2 + 363n + 108 \pm 1$, generates 4 twin primes: 107/109, 569/571, 1229/1231, 2087/2089 .

3.13.16 $P(n) = 102n^2 + 72n + 18 \pm 1$, generates 4 twin primes: 17/19, 191/193, 569/571, 1151/1153 .

3.13.17 $P(n) = 150n^2 - 90n + 12 \pm 1$, generates 4 twin primes: 11/13, 71/73, 431/433, 1091/1093 .

3.13.18 $P(n) = 201n^2 + 57n + 570 \pm 1$, generates 4 twin primes: 569/571, 827/829, 1487/1489, 2549/2551 .

3.13.19 $P(n) = 255n^2 - 75n + 12 \pm 1$, generates 4 twin primes: 11/13, 191/193, 881/883, 2081/2083 .

3.13.20 $P(n) = 294n^2 - 462n + 348 \pm 1$, generates 4 twin primes:
347/349, 179/181, 599/601, 1607/1609 .

3.13.21 $P(n) = 375n^2 - 555n + 420 \pm 1$, generates 4 twin primes:
419/421, 239/241, 809/811, 2129/2131 .

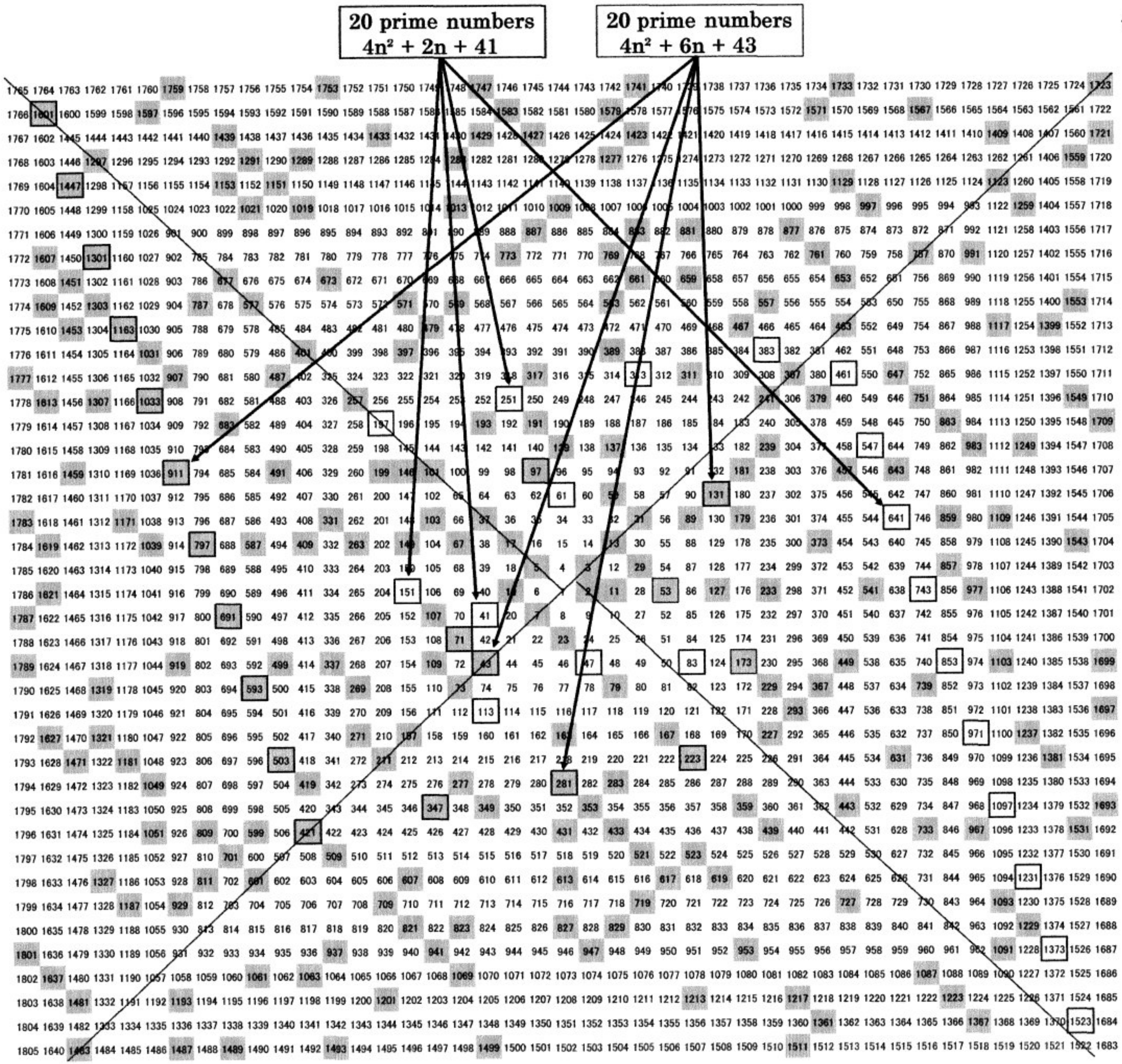
3.13.22 $P(n) = 390n^2 + 90n + 138 \pm 1$, generates 4 twin primes:
137/139, 617/619, 1877/1879, 3917/3919 .

3.13.23 $P(n) = -12n^2 + 582n + 312 \pm 1$, generates 4 twin primes:
311/313, 881/883, 1427/1429, 1949/1951 .

3.13.24 $P(n) = -45n^2 + 555n + 348 \pm 1$, generates 4 twin primes:
347/349, 857/859, 1277/1279, 1607/1609 .

3.13.25 $P(n) = 90n + 1608 \pm 1$, generates 4 twin primes:
1607/1609, 1697/1699, 1787/1789, 1877/1879 .

Figure 2.1: The Ulam Spiral



Euler's prime numbers

$4n^2 + 2n + 41$	$4n^2 + 6n + 43$	$n^2 + n + 41$
41		41
	43	43
47		47
	53	53
61		61
	71	71
83		83
	97	97
113		113
	131	131
151		151
	173	173
197		197
	223	223
251		251
	281	281
313		313
	347	347
383		383
	421	421
461		461
	503	503
547		547
	593	593
641		641
	691	691
743		743
	797	797
853		853
	911	911
971		971
	1033	1033
1097		1097
	1163	1163
1231		1231
	1301	1301
1373		1373
	1447	1447
1523		1523
	1601	1601

Figure 2.2: 180 degrees Arrangement Legendre Polynomial

947	862	781	704	631	562	497	436	379	326	277	232	191	154	121	92	67	46	29	16	7	2	1	6	15	28	45	66	91	120	153	190	231	276	325	378	435	496	561	630	703	780	861	946	1035	1128	1225
948	863	782	705	632	563	498	437	380	327	278	233	192	155	122	93	68	47	30	17	8	3	4	5	14	27	44	65	90	119	152	189	230	275	324	377	434	495	560	629	702	779	860	945	1034	1127	1224
949	864	783	706	633	564	499	438	381	328	279	234	193	156	123	94	69	48	31	18	9	10	11	12	13	26	43	64	89	118	151	188	229	274	323	376	433	494	559	628	701	778	859	944	1033	1126	1223
950	865	784	707	634	565	500	439	382	329	280	235	194	157	124	95	70	49	32	19	20	21	22	23	24	25	42	63	88	117	150	187	228	273	322	375	432	493	558	627	700	777	858	943	1032	1125	1222
951	866	785	708	635	566	501	440	383	330	281	236	195	158	125	96	71	50	33	34	35	36	37	38	39	40	41	62	87	116	149	186	227	272	321	374	431	492	557	626	699	776	857	942	1031	1124	1221
952	867	786	709	636	567	502	441	384	331	282	237	196	159	126	97	72	51	52	53	54	55	56	57	58	59	60	61	86	115	148	185	226	271	320	373	430	491	556	625	698	775	856	941	1030	1123	1220
953	868	787	710	637	568	503	442	385	332	283	238	197	160	127	98	73	74	75	76	77	78	79	80	81	82	83	84	85	114	147	184	225	270	319	372	429	490	555	624	697	774	855	940	1029	1122	1219
954	869	788	711	638	569	504	443	386	333	284	239	198	161	128	99	100	101	102	103	104	105	106	107	108	109	110	111	112	113	146	183	224	269	318	371	428	489	554	623	696	773	854	939	1028	1121	1218
955	870	789	712	639	570	505	444	387	334	285	240	199	162	129	130	131	132	133	134	135	136	137	138	139	140	141	142	143	144	145	182	223	268	317	370	427	488	553	622	695	772	853	938	1027	1120	1217
956	871	790	713	640	571	506	445	388	335	286	241	200	163	164	165	166	167	168	169	170	171	172	173	174	175	176	177	178	179	180	181	222	267	316	369	426	487	552	621	694	771	852	937	1026	1119	1216
957	872	791	714	641	572	507	446	389	336	287	242	201	202	203	204	205	206	207	208	209	210	211	212	213	214	215	216	217	218	219	220	221	266	315	368	425	486	551	620	693	770	851	936	1025	1118	1215
958	873	792	715	642	573	508	447	390	337	288	243	244	245	246	247	248	249	250	251	252	253	254	255	256	257	258	259	260	261	262	263	264	265	314	367	424	485	550	619	692	769	850	935	1024	1117	1214
959	874	793	716	643	574	509	448	391	338	289	290	291	292	293	294	295	296	297	298	299	300	301	302	303	304	305	306	307	308	309	310	311	312	313	366	423	484	549	618	691	768	849	934	1023	1116	1213
960	875	794	717	644	575	510	449	392	339	340	341	342	343	344	345	346	347	348	349	350	351	352	353	354	355	356	357	358	359	360	361	362	363	364	365	422	483	548	617	690	767	848	933	1022	1115	1212
961	876	795	718	645	576	511	450	393	394	395	396	397	398	399	400	401	402	403	404	405	406	407	408	409	410	411	412	413	414	415	416	417	418	419	420	421	482	547	616	689	766	847	932	1021	1114	1211
962	877	796	719	646	577	512	451	452	453	454	455	456	457	458	459	460	461	462	463	464	465	466	467	468	469	470	471	472	473	474	475	476	477	478	479	480	481	546	615	688	765	846	931	1020	1113	1210
963	878	797	720	647	578	513	514	515	516	517	518	519	520	521	522	523	524	525	526	527	528	529	530	531	532	533	534	535	536	537	538	539	540	541	542	543	544	545	614	687	764	845	930	1019	1112	1209
964	879	798	721	648	579	580	581	582	583	584	585	586	587	588	589	590	591	592	593	594	595	596	597	598	599	600	601	602	603	604	605	606	607	608	609	610	611	612	613	686	763	844	929	1018	1111	1208
965	880	799	722	649	650	651	652	653	654	655	656	657	658	659	660	661	662	663	664	665	666	667	668	669	670	671	672	673	674	675	676	677	678	679	680	681	682	683	684	685	762	843	928	1017	1110	1207
966	881	800	723	724	725	726	727	728	729	730	731	732	733	734	735	736	737	738	739	740	741	742	743	744	745	746	747	748	749	750	751	752	753	754	755	756	757	758	759	760	761	842	927	1016	1109	1206
967	882	801	802	803	804	805	806	807	808	809	810	811	812	813	814	815	816	817	818	819	820	821	822	823	824	825	826	827	828	829	830	831	832	833	834	835	836	837	838	839	840	841	926	1015	1108	1205
968	883	884	885	886	887	888	889	890	891	892	893	894	895	896	897	898	899	900	901	902	903	904	905	906	907	908	909	910	911	912	913	914	915	916	917	918	919	920	921	922	923	924	925	1014	1107	1204
969	970	971	972	973	974	975	976	977	978	979	980	981	982	983	984	985	986	987	988	989	990	991	992	993	994	995	996	997	998	999	1000	1001	1002	1003	1004	1005	1006	1007	1008	1009	1010	1011	1012	1013	1106	1203
1060	1061	1062	1063	1064	1065	1066	1067	1068	1069	1070	1071	1072	1073	1074	1075	1076	1077	1078	1079	1080	1081	1082	1083	1084	1085	1086	1087	1088	1089	1090	1091	1092	1093	1094	1095	1096	1097	1098	1099	1100	1101	1102	1103	1104	1105	1202
1155	1156	1157	1158	1159	1160	1161	1162	1163	1164	1165	1166	1167	1168	1169	1170	1171	1172	1173	1174	1175	1176	1177	1178	1179	1180	1181	1182	1183	1184	1185	1186	1187	1188	1189	1190	1191	1192	1193	1194	1195	1196	1197	1198	1199	1200	1201
1254	1255	1256	1257	1258	1259	1260	1261	1262	1263	1264	1265	1266	1267	1268	1269	1270	1271	1272	1273	1274	1275	1276	1277	1278	1279	1280	1281	1282	1283	1284	1285	1286	1287	1288	1289	1290	1291	1292	1293	1294	1295	1296	1297	1298	1299	1300
1357	1358	1359	1360	1361	1362	1363	1364	1365	1366	1367	1368	1369	1370	1371	1372	1373	1374	1375	1376	1377	1378	1379	1380	1381	1382	1383	1384	1385	1386	1387	1388	1389	1390	1391	1392	1393	1394	1395	1396	1397	1398	1399	1400	1401	1402	1403
1464	1465	1466	1467	1468	1469	1470	1471	1472	1473	1474	1475	1476	1477	1478	1479	1480	1481	1482	1483	1484	1485	1486	1487	1488	1489	1490	1491	1492	1493	1494	1495	1496	1497	1498	1499	1500	1501	1502	1503	1504	1505	1506	1507	1508	1509	1510
1575	1576	1577	1578	1579	1580	1581	1582	1583	1584	1585	1586	1587	1588	1589	1590	1591	1592	1593	1594	1595	1596	1597	1598	1599	1600	1601	1602	1603	1604	1605	1606	1607	1608	1609	1610	1611	1612	1613	1614	1615	1616	1617	1618	1619	1620	1621
1690	1691	1692	1693	1694	1695	1696	1697	1698	1699	1700	1701	1702	1703	1704	1705	1706	1707	1708	1709	1710	1711	1712	1713	1714	1715	1716	1717	1718	1719	1720	1721	1722	1723	1724	1725	1726	1727	1728	1729	1730	1731	1732	1733	1734	1735	1736
1809	1810	1811	1812	1813	1814	1815	1816	1817	1818	1819	1820	1821	1822	1823	1824	1825	1826	1827	1828	1829	1830	1831	1832	1833	1834	1835	1836	1837	1838	1839	1840	1841	1842	1843	1844	1845	1846	1847	1848	1849	1850	1851	1852	1853	1854	1855

Legendre polynomial $2n^2 + 29$

Figure 2.3: 135 degrees Arrangement   Brox Polynomial

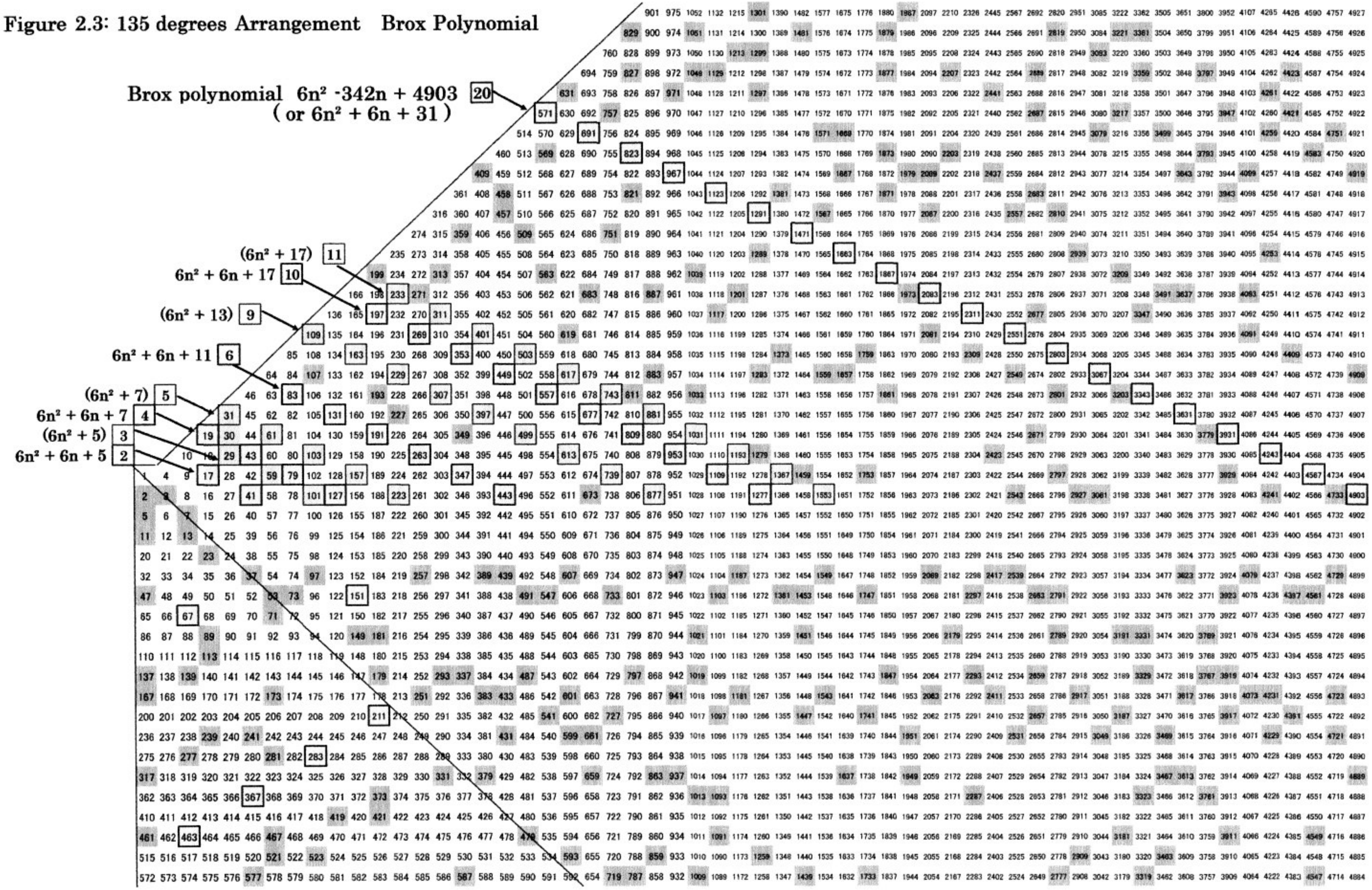


Figure 2.4: 270 degrees Arrangement Frame Polynomial

Frame polynomial $3n^2 + 3n + 23$

																								280	279	278	277	276	275	274	273	272	271
																								225	224	223	222	221	220	219	218	217	270
																								176	175	174	173	172	171	170	169	216	269
																								133	132	131	130	129	128	127	168	215	268
																								96	95	94	93	92	91	126	167	214	267
																								65	64	63	62	61	90	125	166	213	266
																								40	39	38	37	60	89	124	165	212	265
																								21	20	19	36	59	88	123	164	211	264
																								8	7	18	35	58	87	122	163	210	263
1681	1542	1409	1282	1161	1046	937	834	737	646	561	482	409	342	281	226	177	134	97	66	41	22	9	2	1	6	17	34	57	86	121	162	209	262
1682	1543	1410	1283	1162	1047	938	835	738	647	562	483	410	343	282	227	178	135	98	67	42	23	10	3	4	5	16	33	56	85	120	161	208	261
1683	1544	1411	1284	1163	1048	939	836	739	648	563	484	411	344	283	228	179	136	99	68	43	24	11	12	13	14	15	32	55	84	119	160	207	260
1684	1545	1412	1285	1164	1049	940	837	740	649	564	485	412	345	284	229	180	137	100	69	44	25	26	27	28	29	30	31	54	83	118	159	206	259
1685	1546	1413	1286	1165	1050	941	838	741	650	565	486	413	346	285	230	181	138	101	70	45	46	47	48	49	50	51	52	53	82	117	158	205	258
1686	1547	1414	1287	1166	1051	942	839	742	651	566	487	414	347	286	231	182	139	102	71	72	73	74	75	76	77	78	79	80	81	116	157	204	257
1687	1548	1415	1288	1167	1052	943	840	743	652	567	488	415	348	287	232	183	140	103	104	105	106	107	108	109	110	111	112	113	114	115	156	203	256
1688	1549	1416	1289	1168	1053	944	841	744	653	568	489	416	349	288	233	184	141	142	143	144	145	146	147	148	149	150	151	152	153	154	155	202	255
1689	1550	1417	1290	1169	1054	945	842	745	654	569	490	417	350	289	234	185	186	187	188	189	190	191	192	193	194	195	196	197	198	199	200	201	254
1690	1551	1418	1291	1170	1055	946	843	746	655	570	491	418	351	290	235	236	237	238	239	240	241	242	243	244	245	246	247	248	249	250	251	252	253
1691	1552	1419	1292	1171	1056	947	844	747	656	571	492	419	352	291	292	293	294	295	296	297	298	299	300	301	302	303	304	305	306	307	308	309	310
1692	1553	1420	1293	1172	1057	948	845	748	657	572	493	420	353	354	355	356	357	358	359	360	361	362	363	364	365	366	367	368	369	370	371	372	373
1693	1554	1421	1294	1173	1058	949	846	749	658	573	494	421	422	423	424	425	426	427	428	429	430	431	432	433	434	435	436	437	438	439	440	441	442
1694	1555	1422	1295	1174	1059	950	847	750	659	574	495	496	497	498	499	500	501	502	503	504	505	506	507	508	509	510	511	512	513	514	515	516	517
1695	1556	1423	1296	1175	1060	951	848	751	660	575	576	577	578	579	580	581	582	583	584	585	586	587	588	589	590	591	592	593	594	595	596	597	598

Figure 2.5: 90 degrees Arrangement Euler's Polynomial

Euler prime numbers $n^2 + n + 41$

$n^2 + n + 3$

$n^2 + n + 5$

$n^2 + n + 11$

$n^2 + n + 17$

Euler prime numbers $n^2 + n + 41$

1	4	9	16	25	36	49	64	81	100	121	144	169	196	225	256	289	324	361	400	441	484	529	576	625	676
2	3	8	15	24	35	48	63	80	99	120	143	168	195	224	255	288	323	360	399	440	483	528	575	624	675
5	6	7	14	23	34	47	62	79	98	119	142	167	194	223	254	287	322	359	398	439	482	527	574	623	674
10	11	12	13	22	33	46	61	78	97	118	141	166	193	222	253	286	321	358	397	438	481	526	573	622	673
17	18	19	20	21	32	45	60	77	96	117	140	165	192	221	252	285	320	357	396	437	480	525	572	621	672
26	27	28	29	30	31	44	59	76	95	116	139	164	191	220	251	284	319	356	395	436	479	524	571	620	671
37	38	39	40	41	42	43	58	75	94	115	138	163	190	219	250	283	318	355	394	435	478	523	570	619	670
50	51	52	53	54	55	56	57	74	93	114	137	162	189	218	249	282	317	354	393	434	477	522	569	618	669
65	66	67	68	69	70	71	72	73	92	113	136	161	188	217	248	281	316	353	392	433	476	521	568	617	668
82	83	84	85	86	87	88	89	90	91	112	135	160	187	216	247	280	315	352	391	432	475	520	567	616	667
101	102	103	104	105	106	107	108	109	110	111	134	159	186	215	246	279	314	351	390	431	474	519	566	615	666
122	123	124	125	126	127	128	129	130	131	132	133	158	185	214	245	278	313	350	389	430	473	518	565	614	665
145	146	147	148	149	150	151	152	153	154	155	156	157	184	213	244	277	312	349	388	429	472	517	564	613	664
170	171	172	173	174	175	176	177	178	179	180	181	182	183	212	243	276	311	348	387	428	471	516	563	612	663
197	198	199	200	201	202	203	204	205	206	207	208	209	210	211	242	275	310	347	386	427	470	515	562	611	662
226	227	228	229	230	231	232	233	234	235	236	237	238	239	240	241	274	309	346	385	426	469	514	561	610	661
257	258	259	260	261	262	263	264	265	266	267	268	269	270	271	272	273	308	345	384	425	468	513	560	609	660
290	291	292	293	294	295	296	297	298	299	300	301	302	303	304	305	306	307	344	383	424	467	512	559	608	659
325	326	327	328	329	330	331	332	333	334	335	336	337	338	339	340	341	342	343	382	423	466	511	558	607	658
362	363	364	365	366	367	368	369	370	371	372	373	374	375	376	377	378	379	380	381	422	465	510	557	606	657
401	402	403	404	405	406	407	408	409	410	411	412	413	414	415	416	417	418	419	420	421	464	509	556	605	656
442	443	444	445	446	447	448	449	450	451	452	453	454	455	456	457	458	459	460	461	462	463	508	555	604	655
485	486	487	488	489	490	491	492	493	494	495	496	497	498	499	500	501	502	503	504	505	506	507	554	603	654
530	531	532	533	534	535	536	537	538	539	540	541	542	543	544	545	546	547	548	549	550	551	552	553	602	653
577	578	579	580	581	582	583	584	585	586	587	588	589	590	591	592	593	594	595	596	597	598	599	600	601	652
626	627	628	629	630	631	632	633	634	635	636	637	638	639	640	641	642	643	644	645	646	647	648	649	650	651
677	678	679	680	681	682	683	684	685	686	687	688	689	690	691	692	693	694	695	696	697	698	699	700	701	702
730	731	732	733	734	735	736	737	738	739	740	741	742	743	744	745	746	747	748	749	750	751	752	753	754	755
785	786	787	788	789	790	791	792	793	794	795	796	797	798	799	800	801	802	803	804	805	806	807	808	809	810
842	843	844	845	846	847	848	849	850	851	852	853	854	855	856	857	858	859	860	861	862	863	864	865	866	867
901	902	903	904	905	906	907	908	909	910	911	912	913	914	915	916	917	918	919	920	921	922	923	924	925	926
962	963	964	965	966	967	968	969	970	971	972	973	974	975	976	977	978	979	980	981	982	983	984	985	986	987
1025	1026	1027	1028	1029	1030	1031	1032	1033	1034	1035	1036	1037	1038	1039	1040	1041	1042	1043	1044	1045	1046	1047	1048	1049	1050
1090	1091	1092	1093	1094	1095	1096	1097	1098	1099	1100	1101	1102	1103	1104	1105	1106	1107	1108	1109	1110	1111	1112	1113	1114	1115
1157	1158	1159	1160	1161	1162	1163	1164	1165	1166	1167	1168	1169	1170	1171	1172	1173	1174	1175	1176	1177	1178	1179	1180	1181	1182
1226	1227	1228	1229	1230	1231	1232	1233	1234	1235	1236	1237	1238	1239	1240	1241	1242	1243	1244	1245	1246	1247	1248	1249	1250	1251
1297	1298	1299	1300	1301	1302	1303	1304	1305	1306	1307	1308	1309	1310	1311	1312	1313	1314	1315	1316	1317	1318	1319	1320	1321	1322
1370	1371	1372	1373	1374	1375	1376	1377	1378	1379	1380	1381	1382	1383	1384	1385	1386	1387	1388	1389	1390	1391	1392	1393	1394	1395
1445	1446	1447	1448	1449	1450	1451	1452	1453	1454	1455	1456	1457	1458	1459	1460	1461	1462	1463	1464	1465	1466	1467	1468	1469	1470
1522	1523	1524	1525	1526	1527	1528	1529	1530	1531	1532	1533	1534	1535	1536	1537	1538	1539	1540	1541	1542	1543	1544	1545	1546	1547
1601	1602	1603	1604	1605	1606	1607	1608	1609	1610	1611	1612	1613	1614	1615	1616	1617	1618	1619	1620	1621	1622	1623	1624	1625	1626
1682	1683	1684	1685	1686	1687	1688	1689	1690	1691	1692	1693	1694	1695	1696	1697	1698	1699	1700	1701	1702	1703	1704	1705	1706	1707
1765	1766	1767	1768	1769	1770	1771	1772	1773	1774	1775	1776	1777	1778	1779	1780	1781	1782	1783	1784	1785	1786	1787	1788	1789	1790
1850	1851	1852	1853	1854	1855	1856	1857	1858	1859	1860	1861	1862	1863	1864	1865	1866	1867	1868	1869	1870	1871	1872	1873	1874	1875

Figure 2.6: Hexagonal 90 degrees Arrangement   Euler's Polynomial

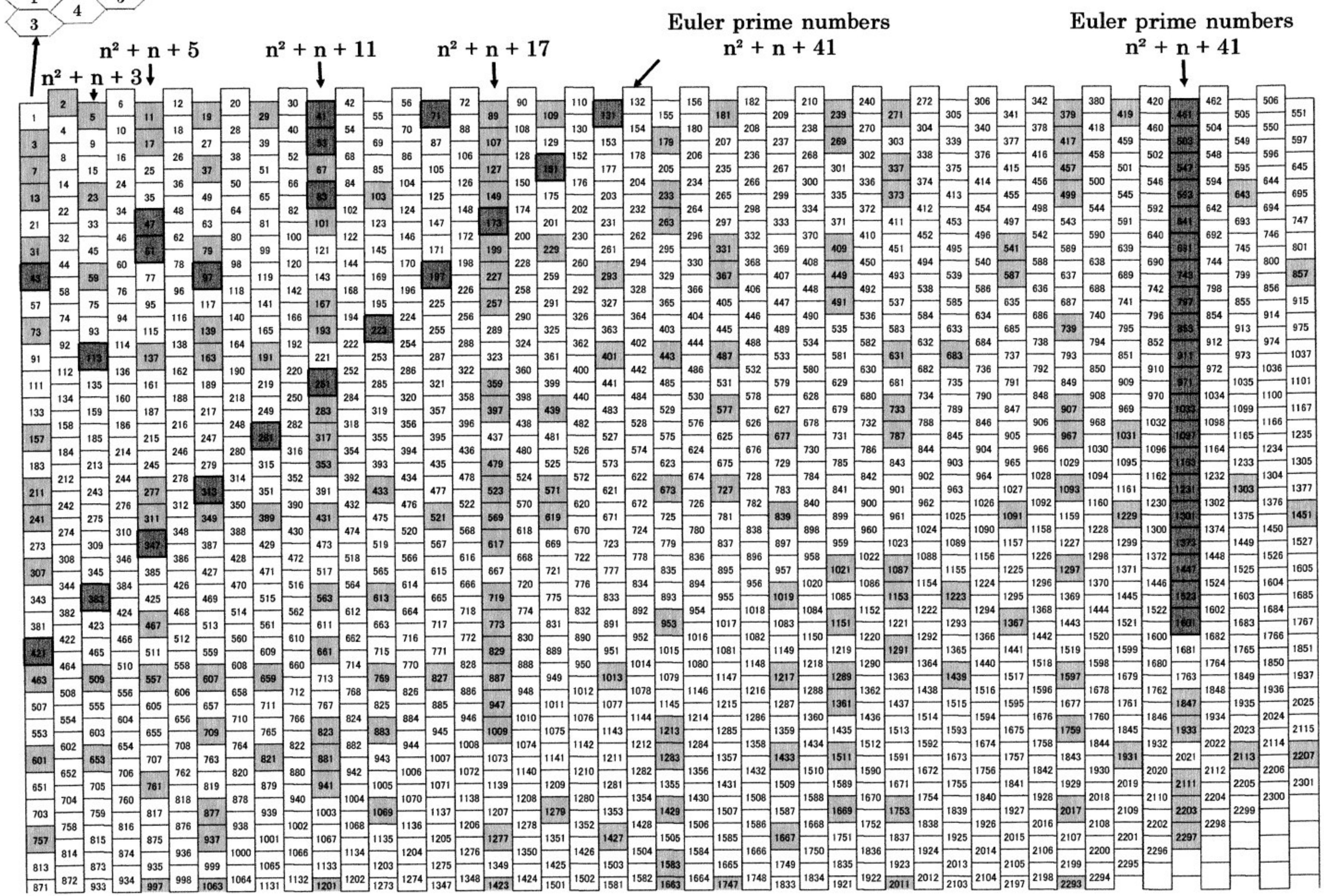


Figure 3.1: 45 degrees Arrangement

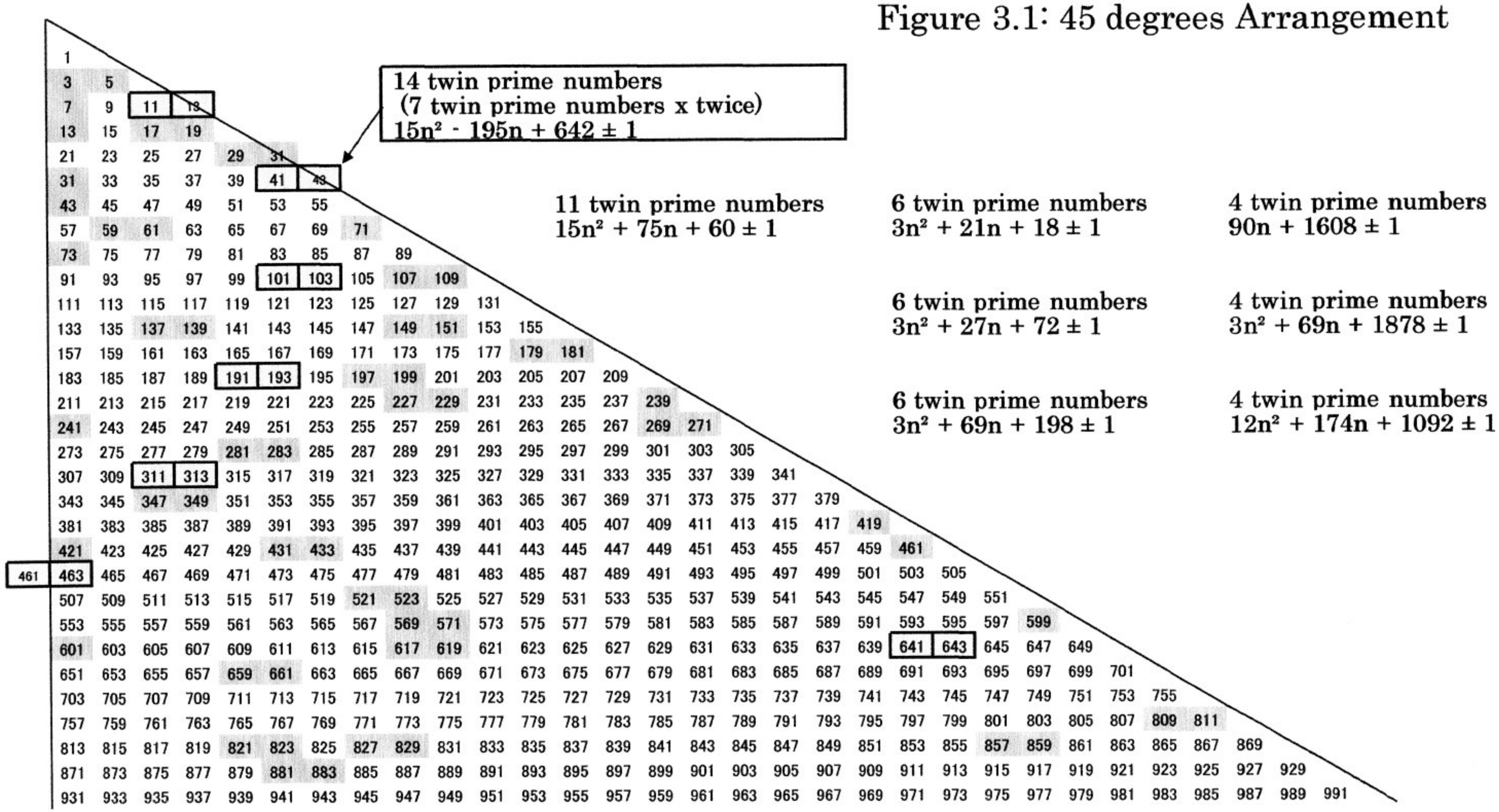


Figure 3.2: 180 degrees Arrangement

11 twin prime numbers
$15n^2 + 75n + 60 \pm 1$

2451	2257	2071	1893	1723	1561	1407	1261	1123	993	871	757	651	553	463	381	307	241	183	133	91	57	31	13	3	1	11	29	55	89	131	181	239
2453	2259	2073	1895	1725	1563	1409	1263	1125	995	873	759	653	555	465	383	309	243	185	135	93	59	33	15	5	7	9	27	53	87	129	179	237
2455	2261	2075	1897	1727	1565	1411	1265	1127	997	875	761	655	557	467	385	311	245	187	137	95	61	35	17	19	21	23	25	51	85	127	177	235
2457	2263	2077	1899	1729	1567	1413	1267	1129	999	877	763	657	559	469	387	313	247	189	139	97	63	37	39	41	43	45	47	49	83	125	175	233
2459	2265	2079	1901	1731	1569	1415	1269	1131	1001	879	765	659	561	471	389	315	249	191	141	99	65	67	69	71	73	75	77	79	81	123	173	231
2461	2267	2081	1903	1733	1571	1417	1271	1133	1003	881	767	661	563	473	391	317	251	193	143	101	103	105	107	109	111	113	115	117	119	121	171	229
2463	2269	2083	1905	1735	1573	1419	1273	1135	1005	883	769	663	565	475	393	319	253	195	145	147	149	151	153	155	157	159	161	163	165	167	169	227
2465	2271	2085	1907	1737	1575	1421	1275	1137	1007	885	771	665	567	477	395	321	255	197	199	201	203	205	207	209	211	213	215	217	219	221	223	225
2467	2273	2087	1909	1739	1577	1423	1277	1139	1009	887	773	667	569	479	397	323	257	259	261	263	265	267	269	271	273	275	277	279	281	283	285	287
2469	2275	2089	1911	1741	1579	1425	1279	1141	1011	889	775	669	571	481	399	325	327	329	331	333	335	337	339	341	343	345	347	349	351	353	355	357
2471	2277	2091	1913	1743	1581	1427	1281	1143	1013	891	777	671	573	483	401	403	405	407	409	411	413	415	417	419	421	423	425	427	429	431	433	435
2473	2279	2093	1915	1745	1583	1429	1283	1145	1015	893	779	673	575	485	487	489	491	493	495	497	499	501	503	505	507	509	511	513	515	517	519	521
2475	2281	2095	1917	1747	1585	1431	1285	1147	1017	895	781	675	577	579	581	583	585	587	589	591	593	595	597	599	601	603	605	607	609	611	613	615
2477	2283	2097	1919	1749	1587	1433	1287	1149	1019	897	783	677	679	681	683	685	687	689	691	693	695	697	699	701	703	705	707	709	711	713	715	717
2479	2285	2099	1921	1751	1589	1435	1289	1151	1021	899	785	787	789	791	793	795	797	799	801	803	805	807	809	811	813	815	817	819	821	823	825	827
2481	2287	2101	1923	1753	1591	1437	1291	1153	1023	901	903	905	907	909	911	913	915	917	919	921	923	925	927	929	931	933	935	937	939	941	943	945
2483	2289	2103	1925	1755	1593	1439	1293	1155	1025	1027	1029	1031	1033	1035	1037	1039	1041	1043	1045	1047	1049	1051	1053	1055	1057	1059	1061	1063	1065	1067	1069	1071
2485	2291	2105	1927	1757	1595	1441	1295	1157	1159	1161	1163	1165	1167	1169	1171	1173	1175	1177	1179	1181	1183	1185	1187	1189	1191	1193	1195	1197	1199	1201	1203	1205
2487	2293	2107	1929	1759	1597	1443	1297	1299	1301	1303	1305	1307	1309	1311	1313	1315	1317	1319	1321	1323	1325	1327	1329	1331	1333	1335	1337	1339	1341	1343	1345	1347
2489	2295	2109	1931	1761	1599	1445	1447	1449	1451	1453	1455	1457	1459	1461	1463	1465	1467	1469	1471	1473	1475	1477	1479	1481	1483	1485	1487	1489	1491	1493	1495	1497
2491	2297	2111	1933	1763	1601	1603	1605	1607	1609	1611	1613	1615	1617	1619	1621	1623	1625	1627	1629	1631	1633	1635	1637	1639	1641	1643	1645	1647	1649	1651	1653	1655
2493	2299	2113	1935	1765	1767	1769	1771	1773	1775	1777	1779	1781	1783	1785	1787	1789	1791	1793	1795	1797	1799	1801	1803	1805	1807	1809	1811	1813	1815	1817	1819	1821
2495	2301	2115	1937	1939	1941	1943	1945	1947	1949	1951	1953	1955	1957	1959	1961	1963	1965	1967	1969	1971	1973	1975	1977	1979	1981	1983	1985	1987	1989	1991	1993	1995
2497	2303	2117	2119	2121	2123	2125	2127	2129	2131	2133	2135	2137	2139	2141	2143	2145	2147	2149	2151	2153	2155	2157	2159	2161	2163	2165	2167	2169	2171	2173	2175	2177
2499	2305	2307	2309	2311	2313	2315	2317	2319	2321	2323	2325	2327	2329	2331	2333	2335	2337	2339	2341	2343	2345	2347	2349	2351	2353	2355	2357	2359	2361	2363	2365	2367
2501	2503	2505	2507	2509	2511	2513	2515	2517	2519	2521	2523	2525	2527	2529	2531	2533	2535	2537	2539	2541	2543	2545	2547	2549	2551	2553	2555	2557	2559	2561	2563	2565

6 twin prime numbers
$3n^2 + 21n + 18 \pm 1$

4 twin prime numbers
$18n^2 + 252n + 1032 \pm 1$

4 twin prime numbers
$90n^2 + 150n + 822 \pm 1$

6 twin prime numbers
$3n^2 + 69n + 198 \pm 1$

Figure 3.3: 270 degrees Arrangement

9 twin prime numbers
(5 twin prime numbers x twice)
$6n^2 - 48n + 102 \pm 1$

													887	885	883	881	879	877	875	873	871	869	867	865
													747	745	743	741	739	737	735	733	731	729	727	863
													619	617	615	613	611	609	607	605	603	601	725	861
													503	501	499	497	495	493	491	489	487	599	723	859
													399	397	395	393	391	389	387	385	485	597	721	857
													307	305	303	301	299	297	295	383	483	595	719	855
													227	225	223	221	219	217	293	381	481	593	717	853
													159	157	155	153	151	215	291	379	479	591	715	851
													103	101	99	97	149	213	289	377	477	589	713	849
													59	57	55	95	147	211	287	375	475	587	711	847
									59				27	25	53	93	145	209	285	373	473	585	709	845
889	749	621	505	401	309	229	161	105	61	29	9	1	7	23	51	91	143	207	283	371	471	583	707	843
891	751	623	507	403	311	231	163	107	63	31	11	3	5	21	49	89	141	205	281	369	469	581	705	841
893	753	625	509	405	313	233	165	109	65	33	13	15	17	19	47	87	139	203	279	367	467	579	703	839
895	755	627	511	407	315	235	167	111	67	35	37	39	41	43	45	85	137	201	277	365	465	577	701	837
897	757	629	513	409	317	237	169	113	69	71	73	75	77	79	81	83	135	199	275	363	463	575	699	835
899	759	631	515	411	319	239	171	115	117	119	121	123	125	127	129	131	133	197	273	361	461	573	697	833
901	761	633	517	413	321	241	173	175	177	179	181	183	185	187	189	191	193	195	271	359	459	571	695	831
903	763	635	519	415	323	243	245	247	249	251	253	255	257	259	261	263	265	267	269	357	457	569	693	829
905	765	637	521	417	325	327	329	331	333	335	337	339	341	343	345	347	349	351	353	355	455	567	691	827

4 twin prime numbers
$6n^2 + 222n + 2082 \pm 1$

Figure 3.4: 360 degrees Arrangement

4 twin prime numbers
$33n^2 + 519n + 1998 \pm 1$

5 twin prime numbers
$288n^2 - 180n + 30 \pm 1$

9 twin prime numbers
$72n^2 - 78n + 18 \pm 1$

3905	3559	3229	2915	2617	2335	2069	1819	1585	1367	1165	979	809	655	517	395	289	287	285	283	281	279	277	275	273	271	269	267	265	363	477	607	753	915	1093	1287	1497	1723	1965	2223	2497	2787	3093	3415	3753	4107	4477	4863	5265
3907	3561	3231	2917	2619	2337	2071	1821	1587	1369	1167	981	811	657	519	397	291	201	199	197	195	193	191	189	187	185	183	181	263	361	475	605	751	913	1091	1285	1495	1721	1963	2221	2495	2785	3091	3413	3751	4105	4475	4861	5263
3909	3563	3233	2919	2621	2339	2073	1823	1589	1371	1169	983	813	659	521	399	293	203	129	127	125	123	121	119	117	115	113	179	261	359	473	603	749	911	1089	1283	1493	1719	1961	2219	2493	2783	3089	3411	3749	4103	4473	4859	5261
3911	3565	3235	2921	2623	2341	2075	1825	1591	1373	1171	985	815	661	523	401	295	205	131	73	71	69	67	65	63	61	111	177	259	357	471	601	747	909	1087	1281	1491	1717	1959	2217	2491	2781	3087	3409	3747	4101	4471	4857	5259
3913	3567	3237	2923	2625	2343	2077	1827	1593	1375	1173	987	817	663	525	403	297	207	133	75	33	31	29	27	25	59	109	175	257	355	469	599	745	907	1085	1279	1489	1715	1957	2215	2489	2779	3085	3407	3745	4099	4469	4855	5257
3915	3569	3239	2925	2627	2345	2079	1829	1595	1377	1175	989	819	665	527	405	299	209	135	77	35	9	7	5	23	57	107	173	255	353	467	597	743	905	1083	1277	1487	1713	1955	2213	2487	2777	3083	3405	3743	4097	4467	4853	5255
3917	3571	3241	2927	2629	2347	2081	1831	1597	1379	1177	991	821	667	529	407	301	211	137	79	37	11	1	3	21	55	105	171	253	351	465	595	741	903	1081	1275	1485	1711	1953	2211	2485	2775	3081	3403	3741	4095	4465	4851	5253
3919	3573	3243	2929	2631	2349	2083	1833	1599	1381	1179	993	823	669	531	409	303	213	139	81	39	13	15	17	19	53	103	169	251	349	463	593	739	901	1079	1273	1483	1709	1951	2209	2483	2773	3079	3401	3739	4093	4463	4849	5251
3921	3575	3245	2931	2633	2351	2085	1835	1601	1383	1181	995	825	671	533	411	305	215	141	83	41	43	45	47	49	51	101	167	249	347	461	591	737	899	1077	1271	1481	1707	1949	2207	2481	2771	3077	3399	3737	4091	4461	4847	5249
3923	3577	3247	2933	2635	2353	2087	1837	1603	1385	1183	997	827	673	535	413	307	217	143	85	87	89	91	93	95	97	99	165	247	345	459	589	735	897	1075	1269	1479	1705	1947	2205	2479	2769	3075	3397	3735	4089	4459	4845	5247
3925	3579	3249	2935	2637	2355	2089	1839	1605	1387	1185	999	829	675	537	415	309	219	145	147	149	151	153	155	157	159	161	163	245	343	457	587	733	895	1073	1267	1477	1703	1945	2203	2477	2767	3073	3395	3733	4087	4457	4843	5245
3927	3581	3251	2937	2639	2357	2091	1841	1607	1389	1187	1001	831	677	539	417	311	221	223	225	227	229	231	233	235	237	239	241	243	341	455	585	731	893	1071	1265	1475	1701	1943	2201	2475	2765	3071	3393	3731	4085	4455	4841	5243
3929	3583	3253	2939	2641	2359	2093	1843	1609	1391	1189	1003	833	679	541	419	313	315	317	319	321	323	325	327	329	331	333	335	337	339	453	583	729	891	1069	1263	1473	1699	1941	2199	2473	2763	3069	3391	3729	4083	4453	4839	5241
3931	3585	3255	2941	2643	2361	2095	1845	1611	1393	1191	1005	835	681	543	421	423	425	427	429	431	433	435	437	439	441	443	445	447	449	451	581	727	889	1067	1261	1471	1697	1939	2197	2471	2761	3067	3389	3727	4081	4451	4837	5239
3933	3587	3257	2943	2645	2363	2097	1847	1613	1395	1193	1007	837	683	545	547	549	551	553	555	557	559	561	563	565	567	569	571	573	575	577	579	725	887	1065	1259	1469	1695	1937	2195	2469	2759	3065	3387	3725	4079	4449	4835	5237
3935	3589	3259	2945	2647	2365	2099	1849	1615	1397	1195	1009	839	685	687	689	691	693	695	697	699	701	703	705	707	709	711	713	715	717	719	721	723	885	1063	1257	1467	1693	1935	2193	2467	2757	3063	3385	3723	4077	4447	4833	5235
3937	3591	3261	2947	2649	2367	2101	1851	1617	1399	1197	1011	841	843	845	847	849	851	853	855	857	859	861	863	865	867	869	871	873	875	877	879	881	883	1061	1255	1465	1691	1933	2191	2465	2755	3061	3383	3721	4075	4445	4831	5233
3939	3593	3263	2949	2651	2369	2103	1853	1619	1401	1199	1013	1015	1017	1019	1021	1023	1025	1027	1029	1031	1033	1035	1037	1039	1041	1043	1045	1047	1049	1051	1053	1055	1057	1059	1253	1463	1689	1931	2189	2463	2753	3059	3381	3719	4073	4443	4829	5231
3941	3595	3265	2951	2653	2371	2105	1855	1621	1403	1201	1203	1205	1207	1209	1211	1213	1215	1217	1219	1221	1223	1225	1227	1229	1231	1233	1235	1237	1239	1241	1243	1245	1247	1249	1251	1461	1687	1929	2187	2461	2751	3057	3379	3717	4071	4441	4827	5229
3943	3597	3267	2953	2655	2373	2107	1857	1623	1405	1407	1409	1411	1413	1415	1417	1419	1421	1423	1425	1427	1429	1431	1433	1435	1437	1439	1441	1443	1445	1447	1449	1451	1453	1455	1457	1459	1685	1927	2185	2459	2749	3055	3377	3715	4069	4439	4825	5227
3945	3599	3269	2955	2657	2375	2109	1859	1625	1627	1629	1631	1633	1635	1637	1639	1641	1643	1645	1647	1649	1651	1653	1655	1657	1659	1661	1663	1665	1667	1669	1671	1673	1675	1677	1679	1681	1683	1925	2183	2457	2747	3053	3375	3713	4067	4437	4823	5225
3947	3601	3271	2957	2659	2377	2111	1861	1863	1865	1867	1869	1871	1873	1875	1877	1879	1881	1883	1885	1887	1889	1891	1893	1895	1897	1899	1901	1903	1905	1907	1909	1911	1913	1915	1917	1919	1921	1923	2181	2455	2745	3051	3373	3711	4065	4435	4821	5223
3949	3603	3273	2959	2661	2379	2113	2115	2117	2119	2121	2123	2125	2127	2129	2131	2133	2135	2137	2139	2141	2143	2145	2147	2149	2151	2153	2155	2157	2159	2161	2163	2165	2167	2169	2171	2173	2175	2177	2179	2453	2743	3049	3371	3709	4063	4433	4819	5221
3951	3605	3275	2961	2663	2381	2383	2385	2387	2389	2391	2393	2395	2397	2399	2401	2403	2405	2407	2409	2411	2413	2415	2417	2419	2421	2423	2425	2427	2429	2431	2433	2435	2437	2439	2441	2443	2445	2447	2449	2451	2741	3047	3369	3707	4061	4431	4817	5219
3953	3607	3277	2963	2665	2667	2669	2671	2673	2675	2677	2679	2681	2683	2685	2687	2689	2691	2693	2695	2697	2699	2701	2703	2705	2707	2709	2711	2713	2715	2717	2719	2721	2723	2725	2727	2729	2731	2733	2735	2737	2739	3045	3367	3705	4059	4429	4815	5217
3955	3609	3279	2965	2967	2969	2971	2973	2975	2977	2979	2981	2983	2985	2987	2989	2991	2993	2995	2997	2999	3001	3003	3005	3007	3009	3011	3013	3015	3017	3019	3021	3023	3025	3027	3029	3031	3033	3035	3037	3039	3041	3043	3365	3703	4057	4427	4813	5215
3957	3611	3281	3283	3285	3287	3289	3291	3293	3295	3297	3299	3301	3303	3305	3307	3309	3311	3313	3315	3317	3319	3321	3323	3325	3327	3329	3331	3333	3335	3337	3339	3341	3343	3345	3347	3349	3351	3353	3355	3357	3359	3361	3363	3701	4055	4425	4811	5213
3959	3613	3615	3617	3619	3621	3623	3625	3627	3629	3631	3633	3635	3637	3639	3641	3643	3645	3647	3649	3651	3653	3655	3657	3659	3661	3663	3665	3667	3669	3671	3673	3675	3677	3679	3681	3683	3685	3687	3689	3691	3693	3695	3697	3699	4053	4423	4809	5211
3961	3963	3965	3967	3969	3971	3973	3975	3977	3979	3981	3983	3985	3987	3989	3991	3993	3995	3997	3999	4001	4003	4005	4007	4009	4011	4013	4015	4017	4019	4021	4023	4025	4027	4029	4031	4033	4035	4037	4039	4041	4043	4045	4047	4049	4051	4421	4807	5209
4327	4329	4331	4333	4335	4337	4339	4341	4343	4345	4347	4349	4351	4353	4355	4357	4359	4361	4363	4365	4367	4369	4371	4373	4375	4377	4379	4381	4383	4385	4387	4389	4391	4393	4395	4397	4399	4401	4403	4405	4407	4409	4411	4413	4415	4417	4419	4805	5207
4709	4711	4713	4715	4717	4719	4721	4723	4725	4727	4729	4731	4733	4735	4737	4739	4741	4743	4745	4747	4749	4751	4753	4755	4757	4759	4761	4763	4765	4767	4769	4771	4773	4775	4777	4779	4781	4783	4785	4787	4789	4791	4793	4795	4797	4799	4801	4803	5205

Figure 3.5: 60 degrees Arrangement

6 twin prime numbers
$3n^2 + 27n + 72 \pm 1$

7 twin prime numbers
$75n^2 - 345n + 420 \pm 1$

4 twin prime numbers
$3n^2 + 141n + 1788 \pm 1$

6 twin prime numbers
$3n^2 + 21n + 18 \pm 1$

6 twin prime numbers
$75n^2 - 165n + 102 \pm 1$

1																																						
3	5	7																																				
9	11	13	15	17	19																																	
21	23	25	27	29	31	33	35	37																														
39	41	43	45	47	49	51	53	55	57	59	61																											
63	65	67	69	71	73	75	77	79	81	83	85	87	89	91																								
93	95	97	99	101	103	105	107	109	111	113	115	117	119	121	123	125	127																					
129	131	133	135	137	139	141	143	145	147	149	151	153	155	157	159	161	163	165	167	169																		
171	173	175	177	179	181	183	185	187	189	191	193	195	197	199	201	203	205	207	209	211	213	215	217															
219	221	223	225	227	229	231	233	235	237	239	241	243	245	247	249	251	253	255	257	259	261	263	265	267	269	271												
273	275	277	279	281	283	285	287	289	291	293	295	297	299	301	303	305	307	309	311	313	315	317	319	321	323	325	327	329	331									
333	335	337	339	341	343	345	347	349	351	353	355	357	359	361	363	365	367	369	371	373	375	377	379	381	383	385	387	389	391	393	395	397						
399	401	403	405	407	409	411	413	415	417	419	421	423	425	427	429	431	433	435	437	439	441	443	445	447	449	451	453	455	457	459	461	463	465	467	469			
471	473	475	477	479	481	483	485	487	489	491	493	495	497	499	501	503	505	507	509	511	513	515	517	519	521	523	525	527	529	531	533	535	537	539	541	543	545	547
549	551	553	555	557	559	561	563	565	567	569	571	573	575	577	579	581	583	585	587	589	591	593	595	597	599	601	603	605	607	609	611	613	615	617	619	621	623	625
633	635	637	639	641	643	645	647	649	651	653	655	657	659	661	663	665	667	669	671	673	675	677	679	681	683	685	687	689	691	693	695	697	699	701	703	705	707	709
723	725	727	729	731	733	735	737	739	741	743	745	747	749	751	753	755	757	759	761	763	765	767	769	771	773	775	777	779	781	783	785	787	789	791	793	795	797	799
819	821	823	825	827	829	831	833	835	837	839	841	843	845	847	849	851	853	855	857	859	861	863	865	867	869	871	873	875	877	879	881	883	885	887	889	891	893	895
921	923	925	927	929	931	933	935	937	939	941	943	945	947	949	951	953	955	957	959	961	963	965	967	969	971	973	975	977	979	981	983	985	987	989	991	993	995	997
1029	1031	1033	1035	1037	1039	1041	1043	1045	1047	1049	1051	1053	1055	1057	1059	1061	1063	1065	1067	1069	1071	1073	1075	1077	1079	1081	1083	1085	1087	1089	1091	1093	1095	1097	1099	1101	1103	1105
1143	1145	1147	1149	1151	1153	1155	1157	1159	1161	1163	1165	1167	1169	1171	1173	1175	1177	1179	1181	1183	1185	1187	1189	1191	1193	1195	1197	1199	1201	1203	1205	1207	1209	1211	1213	1215	1217	1219
1263	1265	1267	1269	1271	1273	1275	1277	1279	1281	1283	1285	1287	1289	1291	1293	1295	1297	1299	1301	1303	1305	1307	1309	1311	1313	1315	1317	1319	1321	1323	1325	1327	1329	1331	1333	1335	1337	1339
1389	1391	1393	1395	1397	1399	1401	1403	1405	1407	1409	1411	1413	1415	1417	1419	1421	1423	1425	1427	1429	1431	1433	1435	1437	1439	1441	1443	1445	1447	1449	1451	1453	1455	1457	1459	1461	1463	1465
1521	1523	1525	1527	1529	1531	1533	1535	1537	1539	1541	1543	1545	1547	1549	1551	1553	1555	1557	1559	1561	1563	1565	1567	1569	1571	1573	1575	1577	1579	1581	1583	1585	1587	1589	1591	1593	1595	1597
1659	1661	1663	1665	1667	1669	1671	1673	1675	1677	1679	1681	1683	1685	1687	1689	1691	1693	1695	1697	1699	1701	1703	1705	1707	1709	1711	1713	1715	1717	1719	1721	1723	1725	1727	1729	1731	1733	1735
1803	1805	1807	1809	1811	1813	1815	1817	1819	1821	1823	1825	1827	1829	1831	1833	1835	1837	1839	1841	1843	1845	1847	1849	1851	1853	1855	1857	1859	1861	1863	1865	1867	1869	1871	1873	1875	1877	1879
1953	1955	1957	1959	1961	1963	1965	1967	1969	1971	1973	1975	1977	1979	1981	1983	1985	1987	1989	1991	1993	1995	1997	1999	2001	2003	2005	2007	2009	2011	2013	2015	2017	2019	2021	2023	2025	2027	2029
2109	2111	2113	2115	2117	2119	2121	2123	2125	2127	2129	2131	2133	2135	2137	2139	2141	2143	2145	2147	2149	2151	2153	2155	2157	2159	2161	2163	2165	2167	2169	2171	2173	2175	2177	2179	2181	2183	2185
2271	2273	2275	2277	2279	2281	2283	2285	2287	2289	2291	2293	2295	2297	2299	2301	2303	2305	2307	2309	2311	2313	2315	2317	2319	2321	2323	2325	2327	2329	2331	2333	2335	2337	2339	2341	2343	2345	2347

Figure 3.6: 180 degrees Arrangement

6 twin prime numbers
$3n^2 + 21n + 18 \pm 1$

1261	1123	993	871	757	651	553	463	381	307	241	183	133	91	57	31	13	3	1	11	29	55	89	131	181	239	305
1263	1125	995	873	759	653	555	465	383	309	243	185	135	93	59	33	15	5	7	9	27	53	87	129	179	237	303
1265	1127	997	875	761	655	557	467	385	311	245	187	137	95	61	35	17	19	21	23	25	51	85	127	177	235	301
1267	1129	999	877	763	657	559	469	387	313	247	189	139	97	63	37	39	41	43	45	47	49	83	125	175	233	299
1269	1131	1001	879	765	659	561	471	389	315	249	191	141	99	65	67	69	71	73	75	77	79	81	123	173	231	297
1271	1133	1003	881	767	661	563	473	391	317	251	193	143	101	103	105	107	109	111	113	115	117	119	121	171	229	295
1273	1135	1005	883	769	663	565	475	393	319	253	195	145	147	149	151	153	155	157	159	161	163	165	167	169	227	293
1275	1137	1007	885	771	665	567	477	395	321	255	197	199	201	203	205	207	209	211	213	215	217	219	221	223	225	291
1277	1139	1009	887	773	667	569	479	397	323	257	259	261	263	265	267	269	271	273	275	277	279	281	283	285	287	289
1279	1141	1011	889	775	669	571	481	399	325	327	329	331	333	335	337	339	341	343	345	347	349	351	353	355	357	359
1281	1143	1013	891	777	671	573	483	401	403	405	407	409	411	413	415	417	419	421	423	425	427	429	431	433	435	437
1283	1145	1015	893	779	673	575	485	487	489	491	493	495	497	499	501	503	505	507	509	511	513	515	517	519	521	523
1285	1147	1017	895	781	675	577	579	581	583	585	587	589	591	593	595	597	599	601	603	605	607	609	611	613	615	617
1287	1149	1019	897	783	677	679	681	683	685	687	689	691	693	695	697	699	701	703	705	707	709	711	713	715	717	719
1289	1151	1021	899	785	787	789	791	793	795	797	799	801	803	805	807	809	811	813	815	817	819	821	823	825	827	829
1291	1153	1023	901	903	905	907	909	911	913	915	917	919	921	923	925	927	929	931	933	935	937	939	941	943	945	947
1293	1155	1025	1027	1029	1031	1033	1035	1037	1039	1041	1043	1045	1047	1049	1051	1053	1055	1057	1059	1061	1063	1065	1067	1069	1071	1073
1295	1157	1159	1161	1163	1165	1167	1169	1171	1173	1175	1177	1179	1181	1183	1185	1187	1189	1191	1193	1195	1197	1199	1201	1203	1205	1207
1297	1299	1301	1303	1305	1307	1309	1311	1313	1315	1317	1319	1321	1323	1325	1327	1329	1331	1333	1335	1337	1339	1341	1343	1345	1347	1349

4 twin prime numbers
$18n^2 + 252n + 1032 \pm 1$

4 twin prime numbers
$90n^2 + 150n + 822 \pm 1$

6 twin prime numbers
$3n^2 + 69n + 198 \pm 1$

Figure 3.7: 135 degrees Arrangement

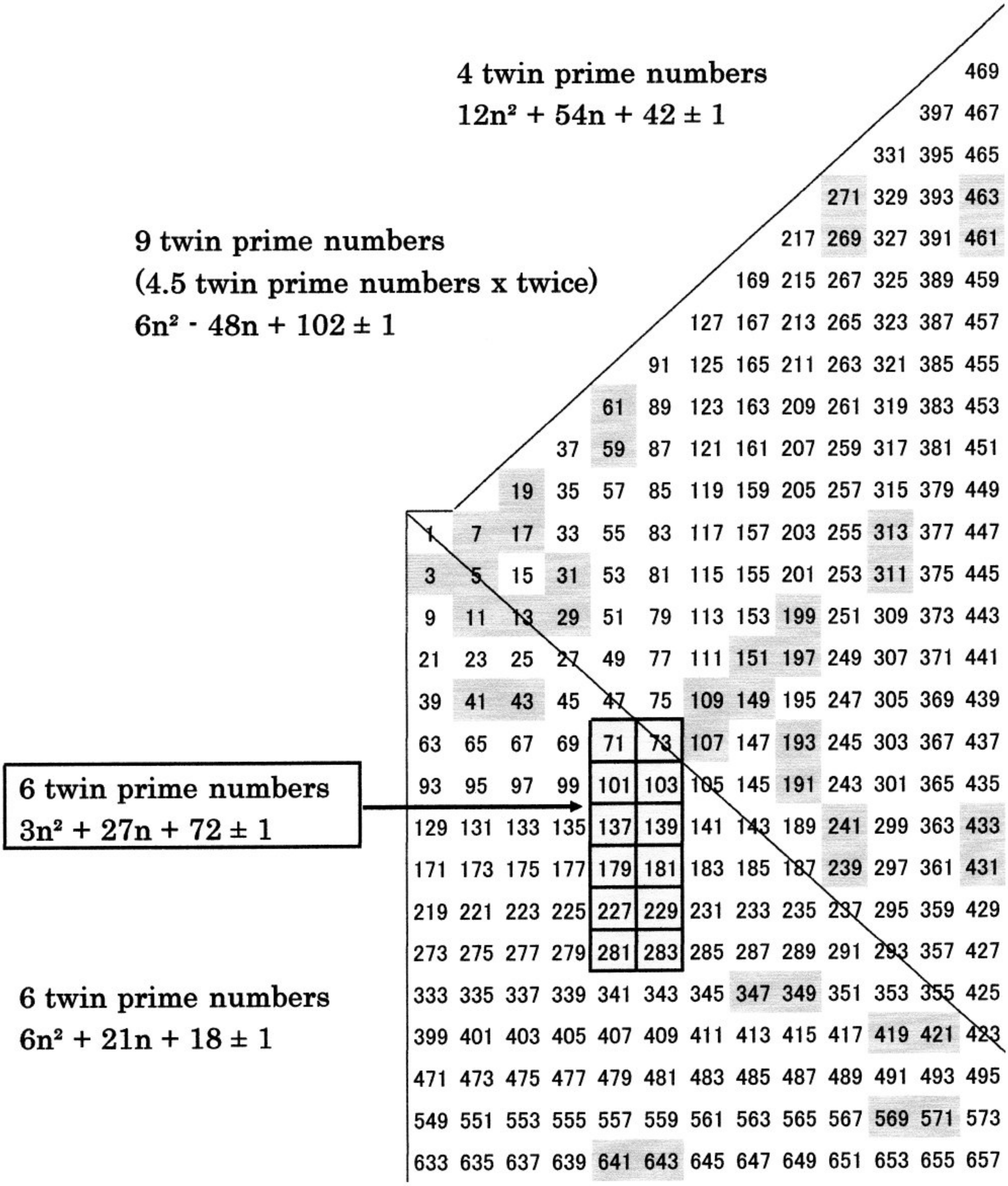


Figure 3.8: 180 degrees Arrangement

6 twin prime numbers
$3n^2 + 69n + 198 \pm 1$

757	651	553	463	381	307	241	183	133	91	57	31	13	3	1	11	29	55	89	131	181	239	305	379	461	551	649
759	653	555	465	383	309	243	185	135	93	59	33	15	5	7	9	27	53	87	129	179	237	303	377	459	549	647
761	655	557	467	385	311	245	187	137	95	61	35	17	19	21	23	25	51	85	127	177	235	301	375	457	547	645
763	657	559	469	387	313	247	189	139	97	63	37	39	41	43	45	47	49	83	125	175	233	299	373	455	545	643
765	659	561	471	389	315	249	191	141	99	65	67	69	71	73	75	77	79	81	123	173	231	297	371	453	543	641
767	661	563	473	391	317	251	193	143	101	103	105	107	109	111	113	115	117	119	121	171	229	295	369	451	541	639
769	663	565	475	393	319	253	195	145	147	149	151	153	155	157	159	161	163	165	167	169	227	293	367	449	539	637
771	665	567	477	395	321	255	197	199	201	203	205	207	209	211	213	215	217	219	221	223	225	291	365	447	537	635
773	667	569	479	397	323	257	259	261	263	265	267	269	271	273	275	277	279	281	283	285	287	289	363	445	535	633
775	669	571	481	399	325	327	329	331	333	335	337	339	341	343	345	347	349	351	353	355	357	359	361	443	533	631
777	671	573	483	401	403	405	407	409	411	413	415	417	419	421	423	425	427	429	431	433	435	437	439	441	531	629
779	673	575	485	487	489	491	493	495	497	499	501	503	505	507	509	511	513	515	517	519	521	523	525	527	529	627
781	675	577	579	581	583	585	587	589	591	593	595	597	599	601	603	605	607	609	611	613	615	617	619	621	623	625
783	677	679	681	683	685	687	689	691	693	695	697	699	701	703	705	707	709	711	713	715	717	719	721	723	725	727
785	787	789	791	793	795	797	799	801	803	805	807	809	811	813	815	817	819	821	823	825	827	829	831	833	835	837
903	905	907	909	911	913	915	917	919	921	923	925	927	929	931	933	935	937	939	941	943	945	947	949	951	953	955
1029	1031	1033	1035	1037	1039	1041	1043	1045	1047	1049	1051	1053	1055	1057	1059	1061	1063	1065	1067	1069	1071	1073	1075	1077	1079	1081
1163	1165	1167	1169	1171	1173	1175	1177	1179	1181	1183	1185	1187	1189	1191	1193	1195	1197	1199	1201	1203	1205	1207	1209	1211	1213	1215
1305	1307	1309	1311	1313	1315	1317	1319	1321	1323	1325	1327	1329	1331	1333	1335	1337	1339	1341	1343	1345	1347	1349	1351	1353	1355	1357

4 twin prime numbers
$18n^2 + 252n + 1032 \pm 1$

4 twin prime numbers
$90n^2 + 150n + 822 \pm 1$

Figure 3.9: 160 degrees Arrangement

4 twin prime numbers
$-45n^2 + 555n + 348 \pm 1$

4 twin prime numbers
$375n^2 - 555n + 420 \pm 1$

6 twin prime numbers
(3 twin prime numbers x twice)
$6n^2 - 30n + 42 \pm 1$

6 twin prime numbers
$3n^2 + 69n + 198 \pm 1$

									413	503	603
									411	501	601
								329	409	499	599
								327	407	497	597
								325	405	495	595
							253	323	403	493	593
							251	321	401	491	591
							249	319	399	489	589
						187	247	317	397	487	587
						185	245	315	395	485	585
						183	243	313	393	483	583
					131	181	241	311	391	481	581
					129	179	239	309	389	479	579
					127	177	237	307	387	477	577
				85	125	175	235	305	385	475	575
				83	123	173	233	303	383	473	573
				81	121	171	231	301	381	471	571
			49	79	119	169	229	299	379	469	569
			47	77	117	167	227	297	377	467	567
			45	75	115	165	225	295	375	465	565
		23	43	73	113	163	223	293	373	463	563
		21	41	71	111	161	221	291	371	461	561
		19	39	69	109	159	219	289	369	459	559
1	7	17	37	67	107	157	217	287	367	457	557
3	5	15	35	65	105	155	215	285	365	455	555
9	11	13	33	63	103	153	213	283	363	453	553
25	27	29	31	61	101	151	211	281	361	451	551
51	53	55	57	59	99	149	209	279	359	449	549
87	89	91	93	95	97	147	207	277	357	447	547
133	135	137	139	141	143	145	205	275	355	445	545
189	191	193	195	197	199	201	203	273	353	443	543
255	257	259	261	263	265	267	269	271	351	441	541
331	333	335	337	339	341	343	345	347	349	439	539
417	419	421	423	425	427	429	431	433	435	437	537

Figure 3.10: 60 degrees Arrangement

6 twin prime numbers
$3n^2 + 27n + 72 \pm 1$

7 twin prime numbers
$75n^2 - 345n + 420 \pm 1$

4 twin prime numbers
$3n^2 + 141n + 1788 \pm 1$

6 twin prime numbers
$75n^2 - 165n + 102 \pm 1$

6 twin prime numbers
$3n^2 + 21n + 18 \pm 1$

1																					
3	5	7																			
9	11	13	15	17	19																
21	23	25	27	29	31	33	35	37													
39	41	43	45	47	49	51	53	55	57	59	61										
63	65	67	69	71	73	75	77	79	81	83	85	87	89	91							
93	95	97	99	101	103	105	107	109	111	113	115	117	119	121	123	125	127				
129	131	133	135	137	139	141	143	145	147	149	151	153	155	157	159	161	163	165	167	169	
171	173	175	177	179	181	183	185	187	189	191	193	195	197	199	201	203	205	207	209	211	213
219	221	223	225	227	229	231	233	235	237	239	241	243	245	247	249	251	253	255	257	259	261
273	275	277	279	281	283	285	287	289	291	293	295	297	299	301	303	305	307	309	311	313	315
333	335	337	339	341	343	345	347	349	351	353	355	357	359	361	363	365	367	369	371	373	375
399	401	403	405	407	409	411	413	415	417	419	421	423	425	427	429	431	433	435	437	439	441
471	473	475	477	479	481	483	485	487	489	491	493	495	497	499	501	503	505	507	509	511	513
549	551	553	555	557	559	561	563	565	567	569	571	573	575	577	579	581	583	585	587	589	591
633	635	637	639	641	643	645	647	649	651	653	655	657	659	661	663	665	667	669	671	673	675
723	725	727	729	731	733	735	737	739	741	743	745	747	749	751	753	755	757	759	761	763	765
819	821	823	825	827	829	831	833	835	837	839	841	843	845	847	849	851	853	855	857	859	861
921	923	925	927	929	931	933	935	937	939	941	943	945	947	949	951	953	955	957	959	961	963
1029	1031	1033	1035	1037	1039	1041	1043	1045	1047	1049	1051	1053	1055	1057	1059	1061	1063	1065	1067	1069	1071
1143	1145	1147	1149	1151	1153	1155	1157	1159	1161	1163	1165	1167	1169	1171	1173	1175	1177	1179	1181	1183	1185
1263	1265	1267	1269	1271	1273	1275	1277	1279	1281	1283	1285	1287	1289	1291	1293	1295	1297	1299	1301	1303	1305
1389	1391	1393	1395	1397	1399	1401	1403	1405	1407	1409	1411	1413	1415	1417	1419	1421	1423	1425	1427	1429	1431
1521	1523	1525	1527	1529	1531	1533	1535	1537	1539	1541	1543	1545	1547	1549	1551	1553	1555	1557	1559	1561	1563
1659	1661	1663	1665	1667	1669	1671	1673	1675	1677	1679	1681	1683	1685	1687	1689	1691	1693	1695	1697	1699	1701

Figure 3.11: 225 degrees Arrangement

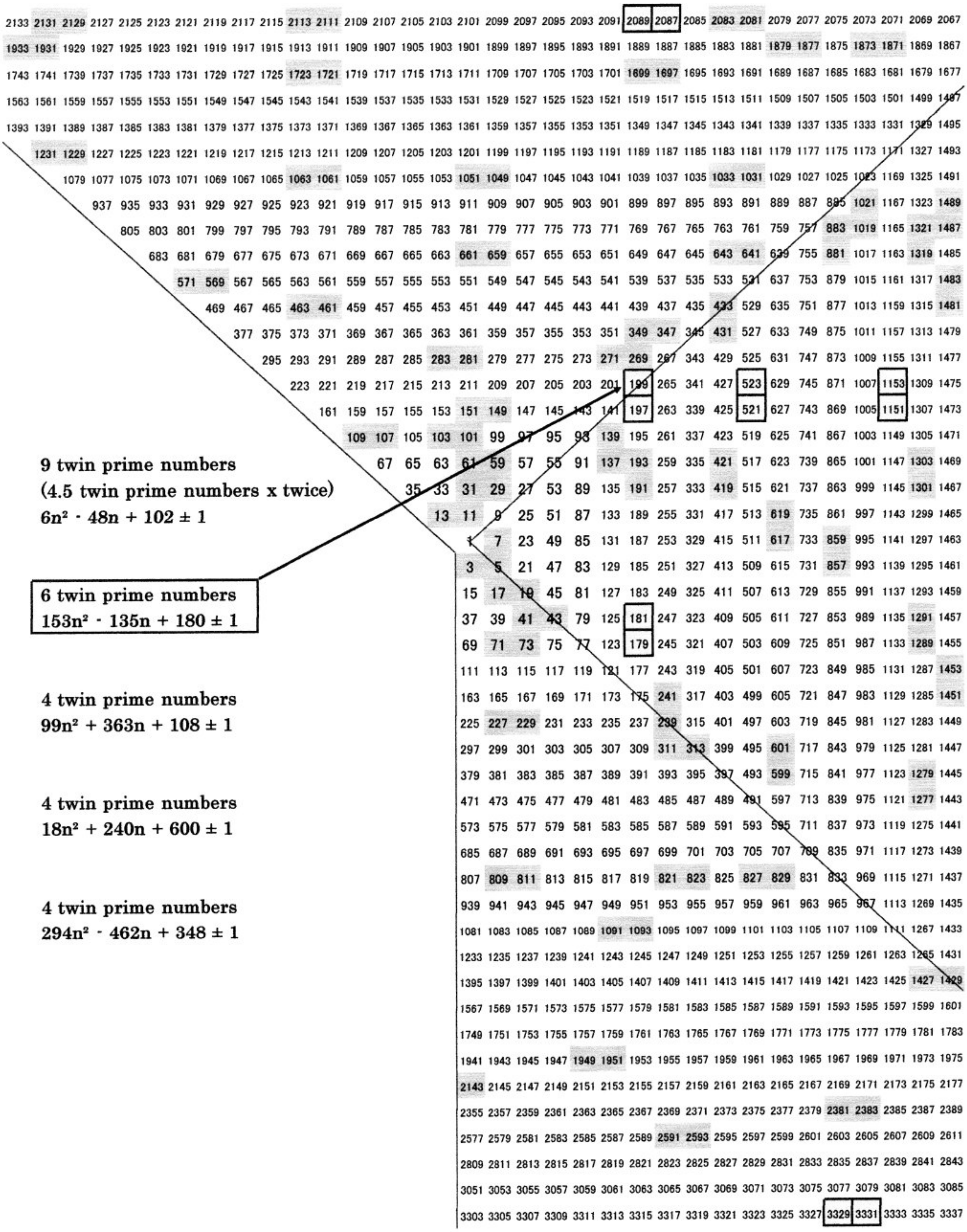


Figure 3.12: 360 degrees Arrangement

4 twin prime numbers

$33n^2 + 519n + 1998 \pm 1$

5 twin prime numbers

$288n^2 - 180n + 30 \pm 1$

5869	5443	5033	4639	4261	3899	3553	3223	2909	2611	2329	2063	1813	1579	1361	1159	973	803	649	647	645	643	641	639	637	635	633	631	629	627	625	623	621
5871	5445	5035	4641	4263	3901	3555	3225	2911	2613	2331	2065	1815	1581	1363	1161	975	805	651	513	511	509	507	505	503	501	499	497	495	493	491	489	487
5873	5447	5037	4643	4265	3903	3557	3227	2913	2615	2333	2067	1817	1583	1365	1163	977	807	653	515	393	391	389	387	385	383	381	379	377	375	373	371	369
5875	5449	5039	4645	4267	3905	3559	3229	2915	2617	2335	2069	1819	1585	1367	1165	979	809	655	517	395	289	287	285	283	281	279	277	275	273	271	269	267
5877	5451	5041	4647	4269	3907	3561	3231	2917	2619	2337	2071	1821	1587	1369	1167	981	811	657	519	397	291	201	199	197	195	193	191	189	187	185	183	181
5879	5453	5043	4649	4271	3909	3563	3233	2919	2621	2339	2073	1823	1589	1371	1169	983	813	659	521	399	293	203	129	127	125	123	121	119	117	115	113	179
5881	5455	5045	4651	4273	3911	3565	3235	2921	2623	2341	2075	1825	1591	1373	1171	985	815	661	523	401	295	205	131	73	71	69	67	65	63	61	111	177
5883	5457	5047	4653	4275	3913	3567	3237	2923	2625	2343	2077	1827	1593	1375	1173	987	817	663	525	403	297	207	133	75	33	31	29	27	25	59	109	175
5885	5459	5049	4655	4277	3915	3569	3239	2925	2627	2345	2079	1829	1595	1377	1175	989	819	665	527	405	299	209	135	77	35	9	7	5	23	57	107	173
5887	5461	5051	4657	4279	3917	3571	3241	2927	2629	2347	2081	1831	1597	1379	1177	991	821	667	529	407	301	211	137	79	37	11	1	3	21	55	105	171
5889	5463	5053	4659	4281	3919	3573	3243	2929	2631	2349	2083	1833	1599	1381	1179	993	823	669	531	409	303	213	139	81	39	13	15	17	19	53	103	169
5891	5465	5055	4661	4283	3921	3575	3245	2931	2633	2351	2085	1835	1601	1383	1181	995	825	671	533	411	305	215	141	83	41	43	45	47	49	51	101	167
5893	5467	5057	4663	4285	3923	3577	3247	2933	2635	2353	2087	1837	1603	1385	1183	997	827	673	535	413	307	217	143	85	87	89	91	93	95	97	99	165
5895	5469	5059	4665	4287	3925	3579	3249	2935	2637	2355	2089	1839	1605	1387	1185	999	829	675	537	415	309	219	145	147	149	151	153	155	157	159	161	163
5897	5471	5061	4667	4289	3927	3581	3251	2937	2639	2357	2091	1841	1607	1389	1187	1001	831	677	539	417	311	221	223	225	227	229	231	233	235	237	239	241
5899	5473	5063	4669	4291	3929	3583	3253	2939	2641	2359	2093	1843	1609	1391	1189	1003	833	679	541	419	313	315	317	319	321	323	325	327	329	331	333	335
5901	5475	5065	4671	4293	3931	3585	3255	2941	2643	2361	2095	1845	1611	1393	1191	1005	835	681	543	421	423	425	427	429	431	433	435	437	439	441	443	445
5903	5477	5067	4673	4295	3933	3587	3257	2943	2645	2363	2097	1847	1613	1395	1193	1007	837	683	545	547	549	551	553	555	557	559	561	563	565	567	569	571

5 Consideration

It is expected that polynomials generating twin prime numbers may be found by devising other arrangements or by arranging up to large odd numbers by the method described in this research work etc..

6. Acknowledgment

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