### **פרויקט קמין 63376**

### Visual navigation for airborne ground robot's control

**Scientific report: Dr. Kupervasser Oleg Prof. Domoshnitsky Alexander**





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## Abstract

In the presentation described algorithms for airborne ground robot's control and navigation developed in Ariel University during Kamin project.





#### **Abstract of the project:**

The subject of the project is vision-based navigation: airborne control (tethered platform) of ground robots. The system may be used for the coordination of the ground robots.

The result of project will be airborne system of control and navigation simultaneously for a lot of ground robots that may be used for a wide class of robots: automated lawnmowers, robots for cleaning the rooms, tractors, snow-removal, garbage disposal and flushing vehicles, vehicles for people and goods transportation, agricultural and municipal vehicles, transport and so on. This system may be used for extra-terrestrial robots on other planets. The system can be used in "smart home" or "smart city".

Keywords: autopilot, delay, drone, vision-based navigation, stable flight, visual airborne navigation, ground robot



#### Ground robots navigation and control- הפרויקט מטרת **שימוש**

Future for machines is unmanned technology. Our mission is providing computer BRAIN (navigation and control) for unmanned ground robots



Robot lawnmowers still a work in progress







#### Concept for Navigation-telecommunication systems







**ARIEL** 

**UNIVERSITY** 



### Future For Rescue Service,Police, Army, Cosmosunmanned technology





Unmanned aerial vehicles (UAVs) terrestrial robots (landrovers,lawnmowers) Satellite **Planetokhods** 





Robot lawnmowers still a work in progress



**The most popular outdoor agriculture robots currently:**

### **A Remote Controlled Slope Mower**

### **Robotic Fruit Harvester – the FFRobot**



#### **GREEN CLIMBER**









### Target Markets for the project

## Market **(exponential grow)**

**The agricultural robot's market is expected to grow from USD 2.75 Billion in 2016** 

#### **to USD 12.80 Billion by 2024**

[https://www.marketsandmarket](https://www.marketsandmarkets.com/Market-Reports/agricultural-robot-market-173601759.html)

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### Problems

### Ground robot navigation problem



•**Robots-lawnmowers need for border wires**  •**They have random navigation methodologies** •**It is inconvenient, static, expensive technology.**

### Solution:



Technology-Airborne ground robots control (Patent)







Robot lawnmowers still a work in progress



## Solution is Vision-based navigation of robots

Vision-based navigation of robots is similar to human navigation by the help of eyes vision

#### **Airborne terrestrial robots control (Patents)**

 However, robot "eyes" are not on the robot, but eyes are autonomous: The solution of the problem is navigation by robot vision. they can observe the robot from above





#### Technology: **Lawnmower videonavigation methods**



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### Technology: Gyroplane (autogyro)





• Full low semi-space FOV by four camera, information translation by optic fiber or Wi-Fi.

Tethered gyroplane – quadracopter High-altitude wind power station. Autonomous energy from rotation by highaltitude wind High-altitude wind exists anywhere**!** Energy up to 10 KWatt/m<sup>2</sup>.

### Delay of vision-based navigation problem 2

control







Real or Unity simulation

Unfortunately, there always exists noticeable delay in getting information about the output controlled parameters to autopilot for visionbased navigation measurements. So we have a problem, because of the lack of some necessary information for controlling.

## Engineering solution: Automatic control with delay by prediction





### Scientific solution is based on

- A. Domoshnitsky, E. Fridman, "A positivity-based approach to delay-dependent stability of systems with large time-varying delays"
- R.P. Agarwal, L. Berezansky, E.Braverman, A. Domoshnitsky, "Nonoscillation Theory of Functional Differential Equations with Applications"
- V. A. Bodner, M.S. Kozlov "Aircraft Stabilization and Autopilots"



#### **Proof of concept results (toy version and big real robot) are achieved (path and random walk)**





#### **Proof of concept results are achieved (path), toy model**







**Proof of concept results are achieved (random walk)б toy model**





### New big robot prototype-photo (Robot, Kamin)



## Robot parameters

- Где  $x$  и  $y$  coordinates of ground robot
- $\alpha$  angle of rotation of the robot on the plane
- $\nu$  translation velocity of the robot
- $\omega$  angle velocity of the robot
- *R* wheel radius
- $l$  distance between wheelы

 $\omega_R$  **u**  $\omega_L$  – angle velocities of rotation of the right and left wheels





## Robot motion equations

 $\dot{x} = v \cos \alpha$  $\dot{y} = v \sin \alpha$  $\dot{\alpha} = \omega$  $v =$  $R(\omega_R+\omega_L$ 2  $\omega =$  $2R(\omega_R - \omega_L)$  $\mathcal{I}_{\mathcal{I}}$ 



## Study state trajectory



**1) For rotation, the stationary solution is α(t)=ωt+φ; v(t)=0; φ=0** 

**2) For linear motion, the stationary solution is α(t)=α; v(t)=v** 



## Linearization

$$
\delta x(t) = \delta v(t - \tau) \cos(\alpha(t)) - v(t) \sin(\alpha(t)) \delta \alpha(t)
$$
  
\n
$$
\delta y(t) = \delta v(t - \tau) \sin(\alpha(t)) + v(t) \cos(\alpha(t)) \delta \alpha(t)
$$
  
\n
$$
\delta \alpha(t) = \delta \omega(t - \tau)
$$

Control parameter

$$
\delta v(t-\tau) = a_x(t)\delta x(t-\tau) + a_y(t)\delta y(t-\tau) + a_\alpha(t)\delta \alpha(t-\tau)
$$
  

$$
\delta \omega(t-\tau) = b_x(t)\delta x(t-\tau) + b_y(t)\delta y(t-\tau) + b_\alpha(t)\delta \alpha(t-\tau)
$$



### Stability of the system. Theorem

**Theorem**. If the following conditions are fulfilled, then the system is exponentially stable. Conditions for coefficients of motion equation Conditions for  $\tau_{max}$  ( $\tau \leq \tau_{max}$ )

 $x_i''(t) = q_i(t) x_i'(t - \tau_i(t)) + \sum_{i=1}^n p_{ij}(t) x_i(t - \theta_{ij}(t)) = 0, t \in [0, +\infty)$  $(2.2)$  $x_i(\xi) = x_i(0); x_i'(\xi) = x_i'(0), \xi < 0, i = 1, ..., n$ Where  $P(t) = \{p_{ij}(t)\}_{i,j=1,\dots,n}$  are  $n \times n$  matrices with entries  $q_i(t)$ ,  $p_{ij}(t) \in L_\infty$ ,  $\theta_{ij}(t) \in L_\infty$ *i*,  $j = 1,...,n$ . The components  $x_i$ :  $[0, +\infty) \rightarrow \mathbb{R}$  of the vector  $x = col\{x_1,...,x_n\}$  are assumed to be absolutely continuous and their derivatives  $x'_i \in L_\infty$ . A vector-function x is a solution of (2.2) if it satisfies system (2.2) for almost all  $t \in [0, +\infty)$ . Let us denote

 $\tau_i^* = esssup_{t \geq 0} {\tau_i(t)}$ 

It was shown in Theorem 1.1 in [6] that (we correct here some misprinting from this paper): If the following conditions are fulfilled:

(1.1) The matrix P is Metzler: all its off-diagonal elements are nonnegative for  $t \ge 0$ , i.e.  $p_{ij}(t) \ge 0$  for every  $i \ne j$ ,

The matrix P is Hurwitz: all its eigenvalues have negative real part for  $t \ge 0$ 

 $p_{ii}(t) < 0, q_{ii}(t) < 0, 4|p_{ii}(t)| < q_i^2(t)$ ,

where 
$$
i, j = 1, ..., n
$$
.

 $(1.2)$  For every  $i = 1, ..., n$  the conditions be fulfilled:

$$
\left|q_i(t)\right|\tau_i^* \leq \frac{1}{e}, \theta_{ii}(t) \leq \tau_i(t) \leq \tau_i^* < \infty
$$

Then system  $(2.2)$  is exponentially stable.

By substitution coefficients of our motion equation to these conditions we can find parameters of control:

• 
$$
a_x(t), a_y(t), a_\alpha(t)
$$

- $b_x(t)$ ,  $b_y(t)$ ,  $b_\alpha(t)$
- $\tau_{max}$

**S o l u t i o n**

**Final solution are following:**

**1) For rotation, the stationary solution is α(t)=ωt+φ; v(t)=0; φ=0** 

**where control parameters are following:** δν(t-τ)=-2a<sub>r</sub>cos(ω(t-τ))δx(t-τ)-2a<sub>r</sub> sin(ω(t-τ))δy(t-τ) where ω≠0,a\_r>|ω|;  $\delta$ ω(**t**-**τ**)=**b**<sub>α</sub> $\delta$ α(**t**-**τ**) where **b**<sub>α</sub><0.

**2) For linear motion, the stationary solution is α(t)=α; v(t)=v** 

**where control parameters are following: δv(t-τ)=- al cos(α)δx(t-τ) - al sin(α)δy(t-τ) where a<sup>l</sup> >0 δω(t-τ)=a sin**〖**(α) δx(t-τ)**〗**-a cos(α)δy(t-τ)-2b δα(t-τ) where av>0; b>(av) 1/2**



### Automatic control solution

#### Engineering solution: Automatic control with delay by prediction



#### Deep learning: ground robot recognition and finding position and orientation











▲ GUI\_proba



 $LN(\vec{Q}) = -\frac{1}{2} \sum_{i=1}^{n} \frac{1}{2} \$ 

 $\frac{9:14}{07.05.2019}$ 

 $-0$   $x$ 

#### $\boldsymbol{\Omega}$

#### **Proof of concept results (robot version) are achieved (path)**



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 $\boldsymbol{\omega}$ 

b.

#### **Proof of concept results (robot version) are achieved (random walk)**



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### **Our Intellectual Property:**5 Patents (2 Russia, Germany, France, USA)





## Application RU 2015121583 is accepted during project realization in 2019 and is transformed to real patent **RU 2691788**:

### <https://findpatent.ru/patent/269/2691788.html>



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### New prototype-photo (Robot, Kamin)



### **New Project Kamin**



#### Strong team **of experienced professionals from Israel and Russia: Vision-based navigation of UAV**

#### **Project leader:**

**Kupervasser Oleg,** works in Ariel University, Israel, PhD ( Weizmann, Israel) included to 30th issue of "Marquise Who's Who in the world", has 17 years of experience (leading companies in Russia and Israel) and 11 papers, many conference reports **Optimal control theory** 



#### **Sarychev Vitalii**

CEO assistant, programmer



**Kupervasser Oleg Chief Scientist** 

**specialist Name: Alexander**









**Rubinshteyn Aleksandr Aleksandrovich** Programmer



Hennadii Kutomanov Programmer



**Commercial** 

**expert:** Dr. Eli Zamir



Ilan Ehrenfeld Programmer

#### **Competitors**











.<br>ЕДЕРАЛЬНОЕ ГОСУДАРСТВЕННОЕ УНИТАРНОЕ ПРЕДПРИЯТИ







#### Competitor projects



Unmanned Ground vehicles (UGVs) ground robots (landrovers, lawnmowers) planetary rovers



Robot lawnmowers still a work in progress







#### **Market**

#### **The agricultural robots market is expected to grow from USD 2.75 Billion in 2016 to USD 12.80 Billion by 2024**

https://www.marketsandmarkets.com/Market-Reports/agricultural-robot-market-173601759.html





## **Conclusion**

As a result, we proved that it's possible to maintain stable movement of a ground robot even when time delay exists in transfer information about output control parameters from navigation measurement devices to autopilot. We can find control parameters for a particular case of visual airborne navigation of ground robot and estimated max possible delay of the system.



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### Thank you!

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